

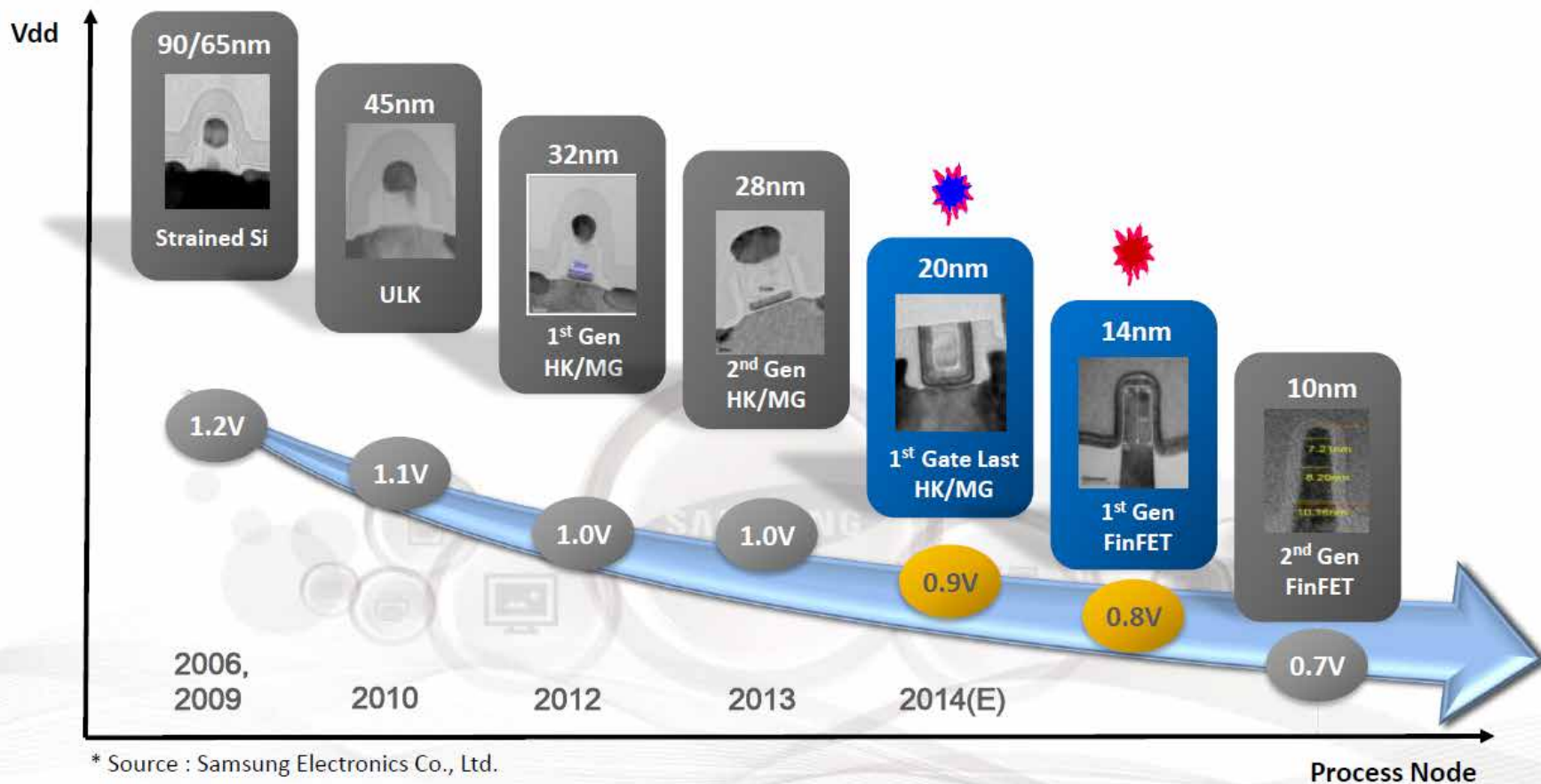
Spintronics: a review and outlook



2016. 5. 11

Outline

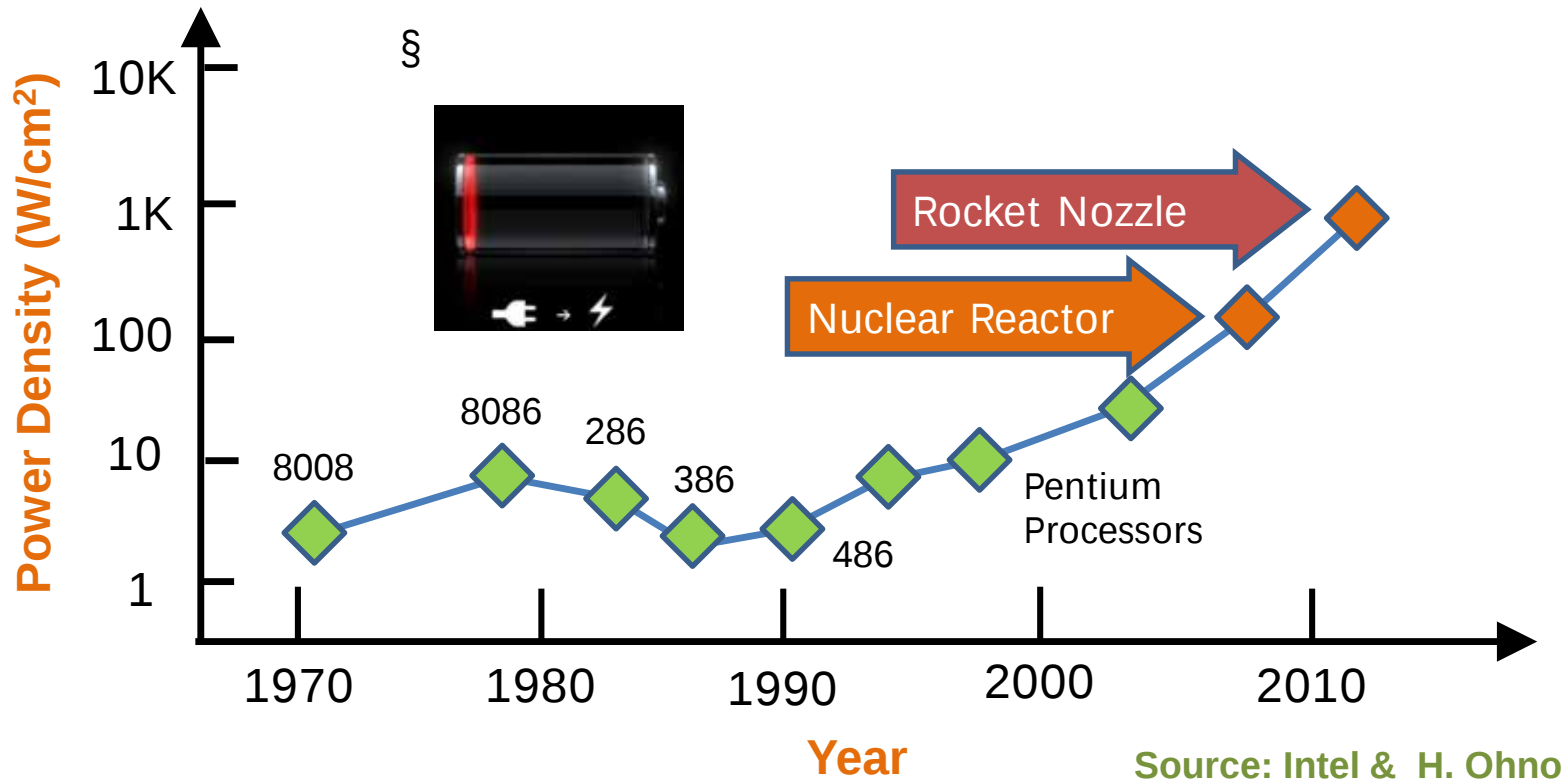
- Ø ***Spin –Transfer-Torque Magnetoresistive Random Access Memory (STT –MRAM)***
- Ø ***E-field Control of Magnetism***
- Ø ***Spin-Orbit-Torque MRAM***
- Ø ***Thermal Spin-Transfer Torque***
- Ø ***Spin Torque Nano-Oscillator***



* Source : Samsung Electronics Co., Ltd.

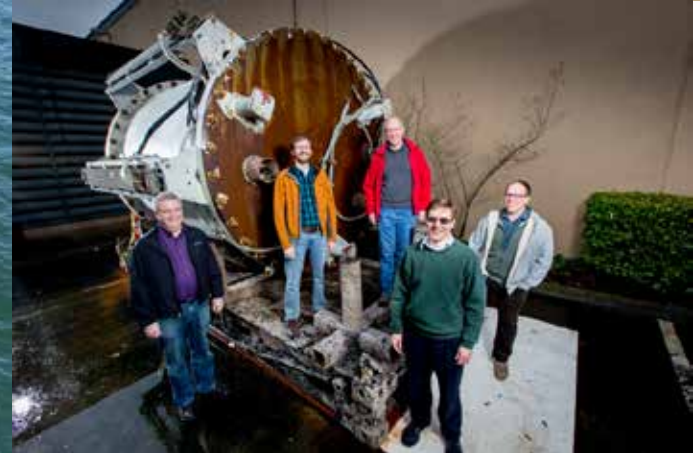
* V_{dd} : Supplying voltage of drain

Explosive increase of power consumption

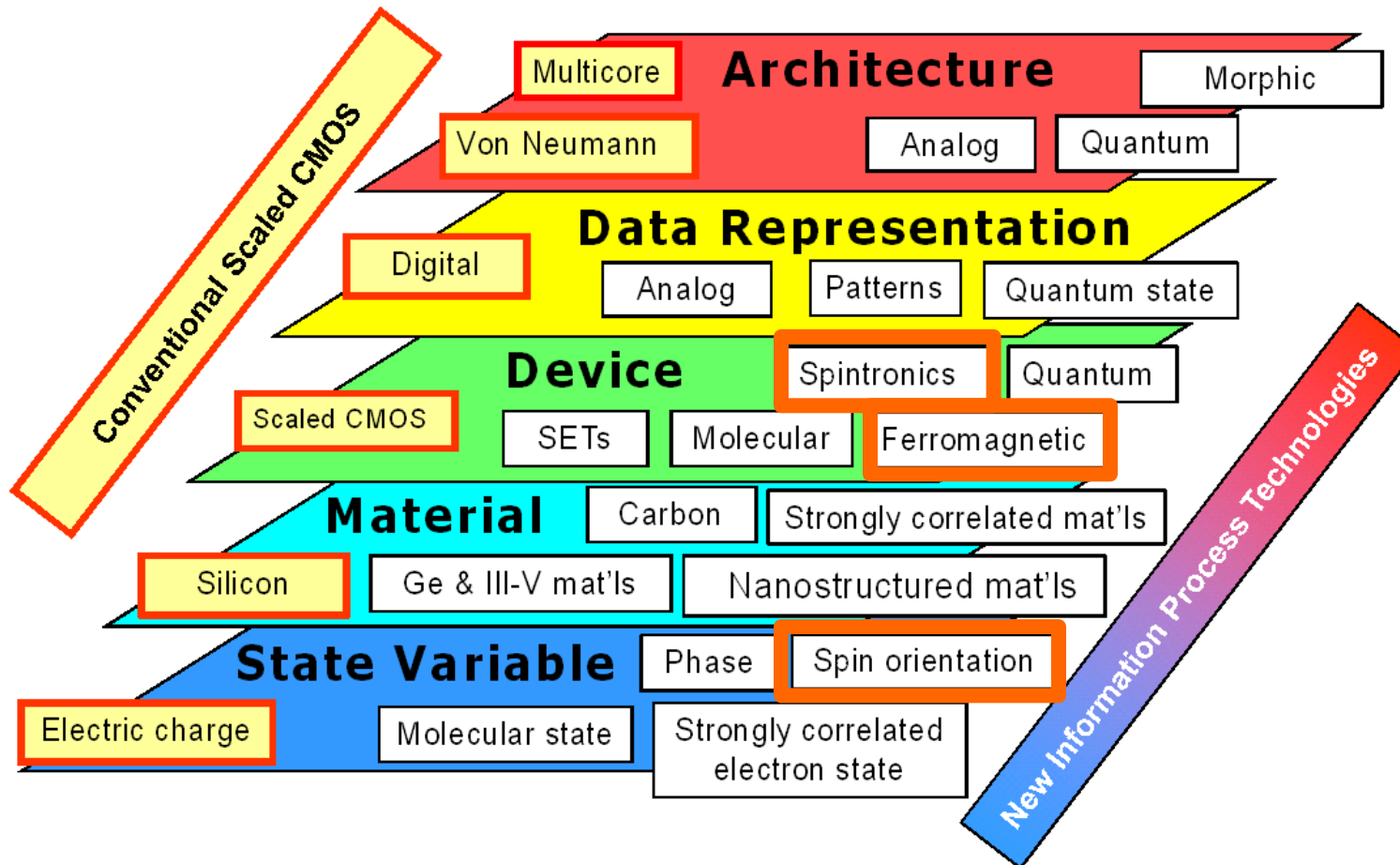


Subsea data centers

“Natick” project Microsoft



A Taxonomy for Nano Information Processing Technologies



Transport, manipulation,
storage of **Charge**

First
transistor

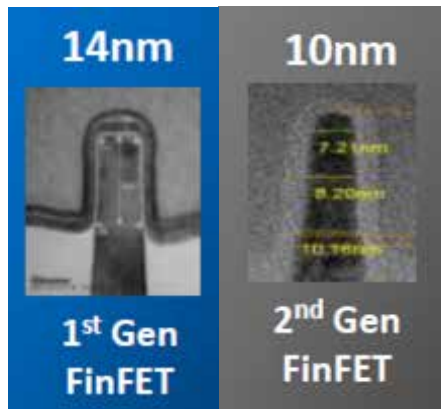


micrometer

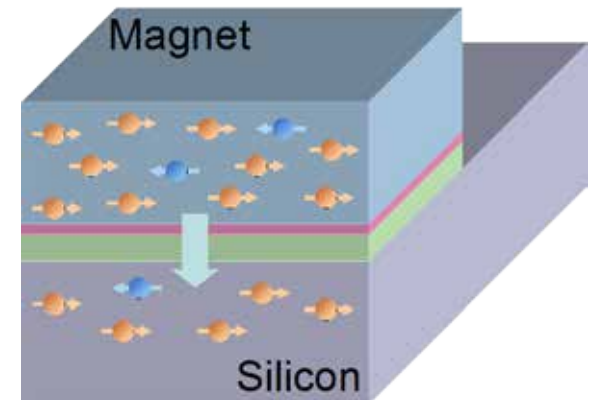
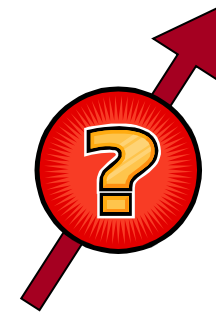


nanometer

2015



Transport, manipulation,
storage of **Spin**



Spin-polarized electron transport: History

- *The discovery of electrons
J.J. Thomson (1897)*
- *The discovery of electron spin
George E. Uhlenbeck (1925)*
- *Spin-dependent electron scattering
Nevill Mott (1936)*
- *Transistor
Bell Laboratory (1948)*
- *Giant magnetoresistance (GMR)
Baibich et al (1988)*



Thomson showed that cathode rays were particles with a negative electric charge and much smaller than an atom. He also thought all atoms contained them. These particles were later named electrons.

Lorentz (or ordinary) MR

Ø Ordinary MR obeys the Kohler rule.

$$\frac{\Delta R}{R} = F(B/r_0)$$

$$r_0 = r(B=0)$$

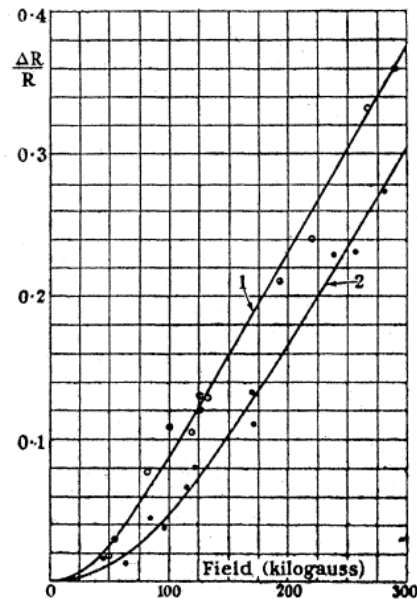


FIG. 6.—Silver $H \perp I$.

Curve 1—Ag annealed. Temperature of Liquid Nitrogen.

Curve 2—Ag hard. Temperature of Liquid Air.

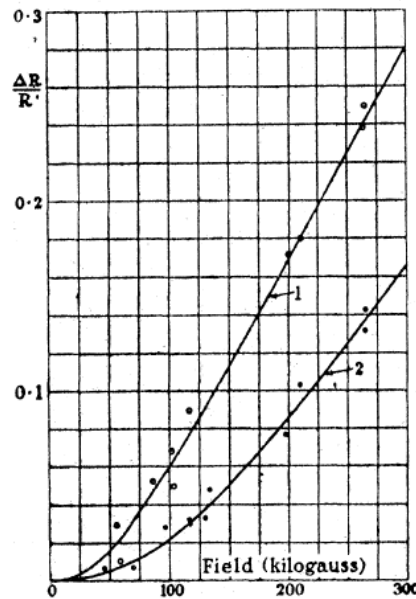
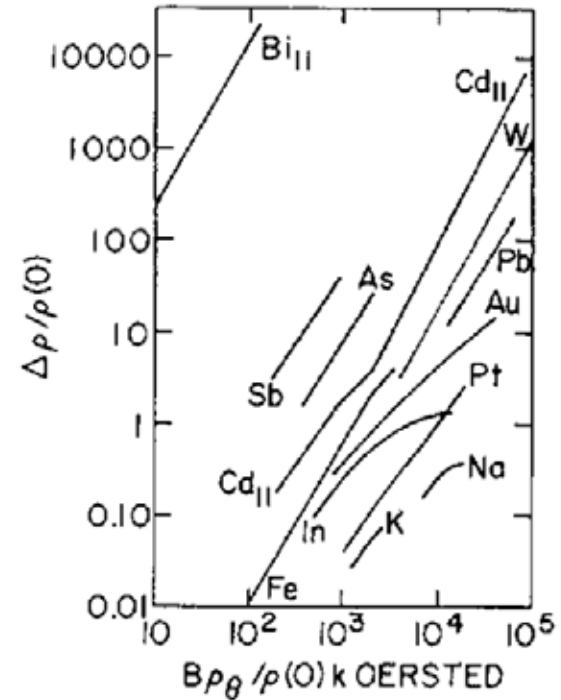


FIG. 7.—Gold $H \perp I$.

Curve 1—Au_I soft. Temperature of Liquid Nitrogen.

Curve 2—Au_{II} hard. Temperature of Liquid Air.

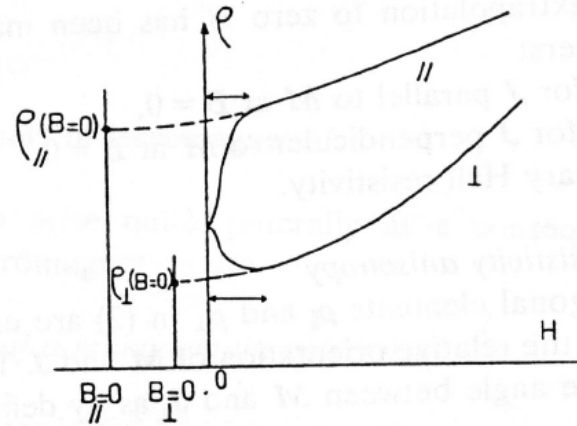
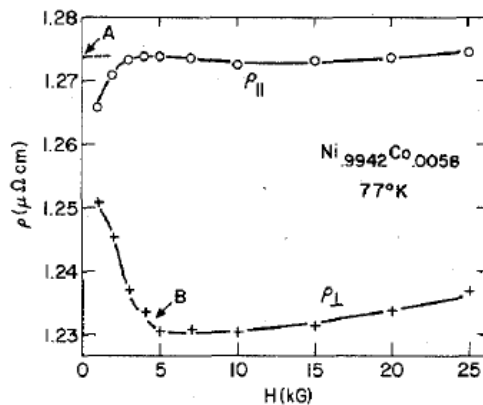


Kapitza, *Proc. Roy. Soc. A*123, 292 (1929).

Anisotropic MR (AMR)

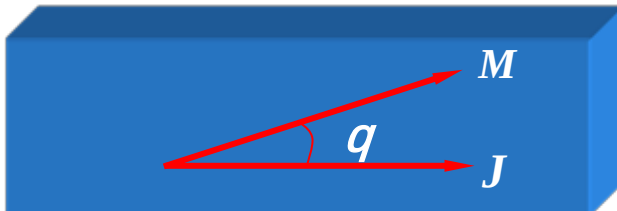
- Ø The electrical resistivity of ferromagnetic metals changes depending on the direction of the sensing current and the magnetisation (William Thomson, Lord Kelvin, In 1857)

$$\vec{E} = [\rho_{\parallel}(B) - \rho_{\perp}(B)][\vec{m} \cdot \vec{J}] \vec{m}$$



$$\frac{\Delta\rho}{\rho} = \frac{\rho_{\parallel} - \rho_{\perp}}{\rho_0}$$

$$\frac{\Delta\rho}{\rho} = \frac{\rho_{\parallel} - \rho_{\perp}}{(1/3)\rho_{\parallel} + (2/3)\rho_{\perp}}$$



$$r = r_{\wedge} + Dr \cos^2 q$$

r : the wire resistivity

$$Dr = r_{\parallel} - r_{\wedge} (> 0)$$

Spin-polarized electron transport: History

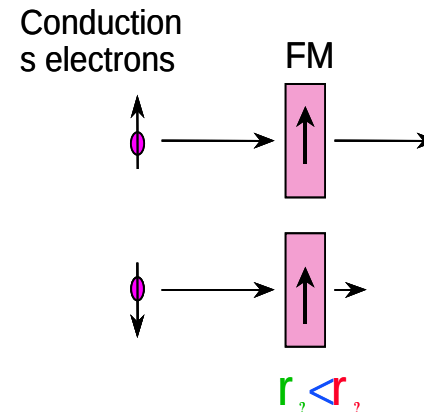
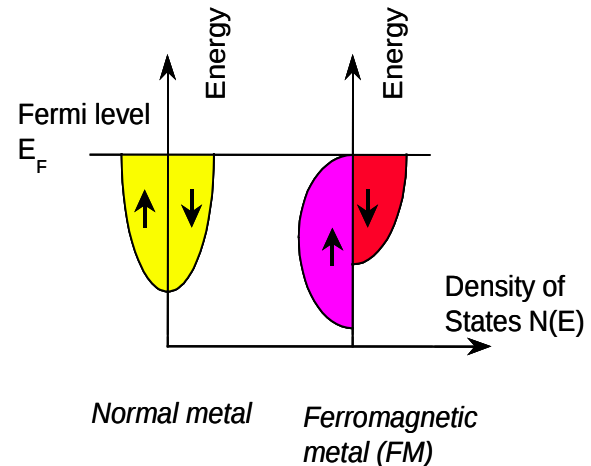
- The discovery of electrons
J.J. Thomson (1897)
- The discovery of electron spin
George E. Uhlenbeck &
Samuel A. Goudsmit (1925)
- Spin-dependent electron scattering
Nevill Mott (1936)
- Transistor
Bell Laboratory (1948)
- Giant magnetoresistance (GMR)
A. Fert Group & P. Grünberg (1988)



... it occurred to me that , since (I had learned) each quantum number corresponds to a degree of freedom of the electron, Pauli's fourth quantum number must mean that the electron had an additional degree of freedom -- **in other words the electron must be rotating.**

Spin-polarized electron transport: History

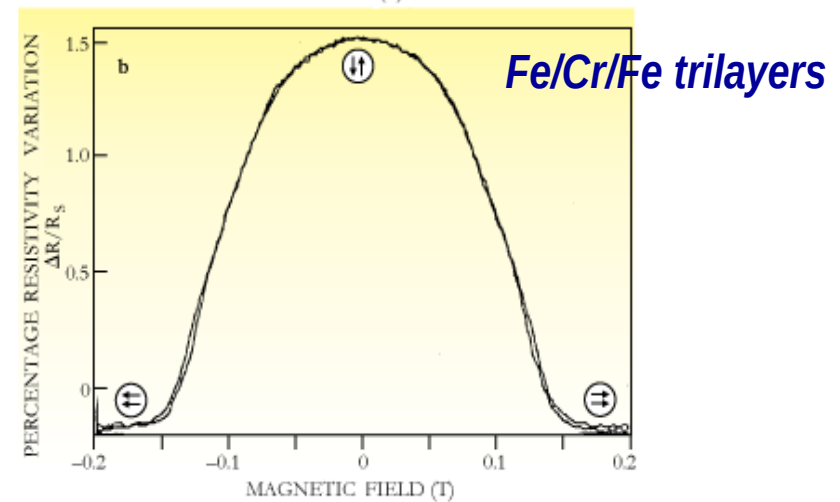
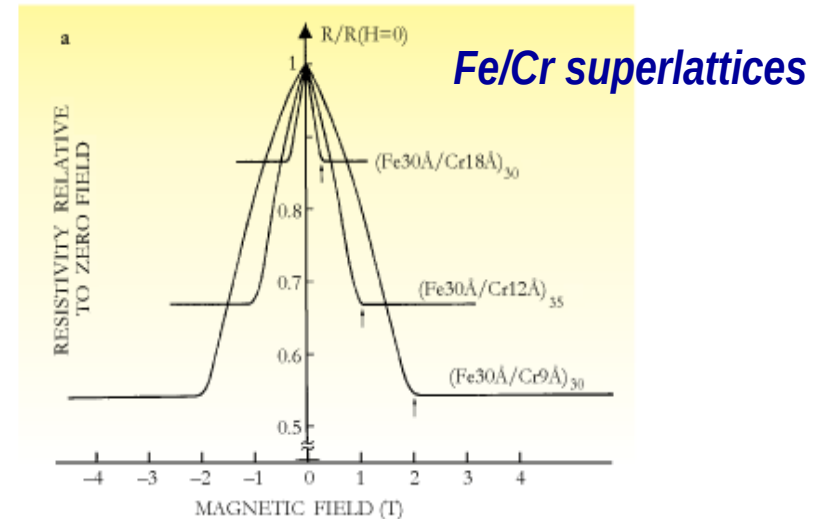
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J.J. Thomson (1897)
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- **Spin-dependent electron scattering**
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Different d-band $N(E)$ for spin up and spin down electrons at E_F in ferromagnetic metals
The s-d scattering rate is different for spin up and spin down electrons in ferromagnetic metals.

Spin-polarized electron transport: History

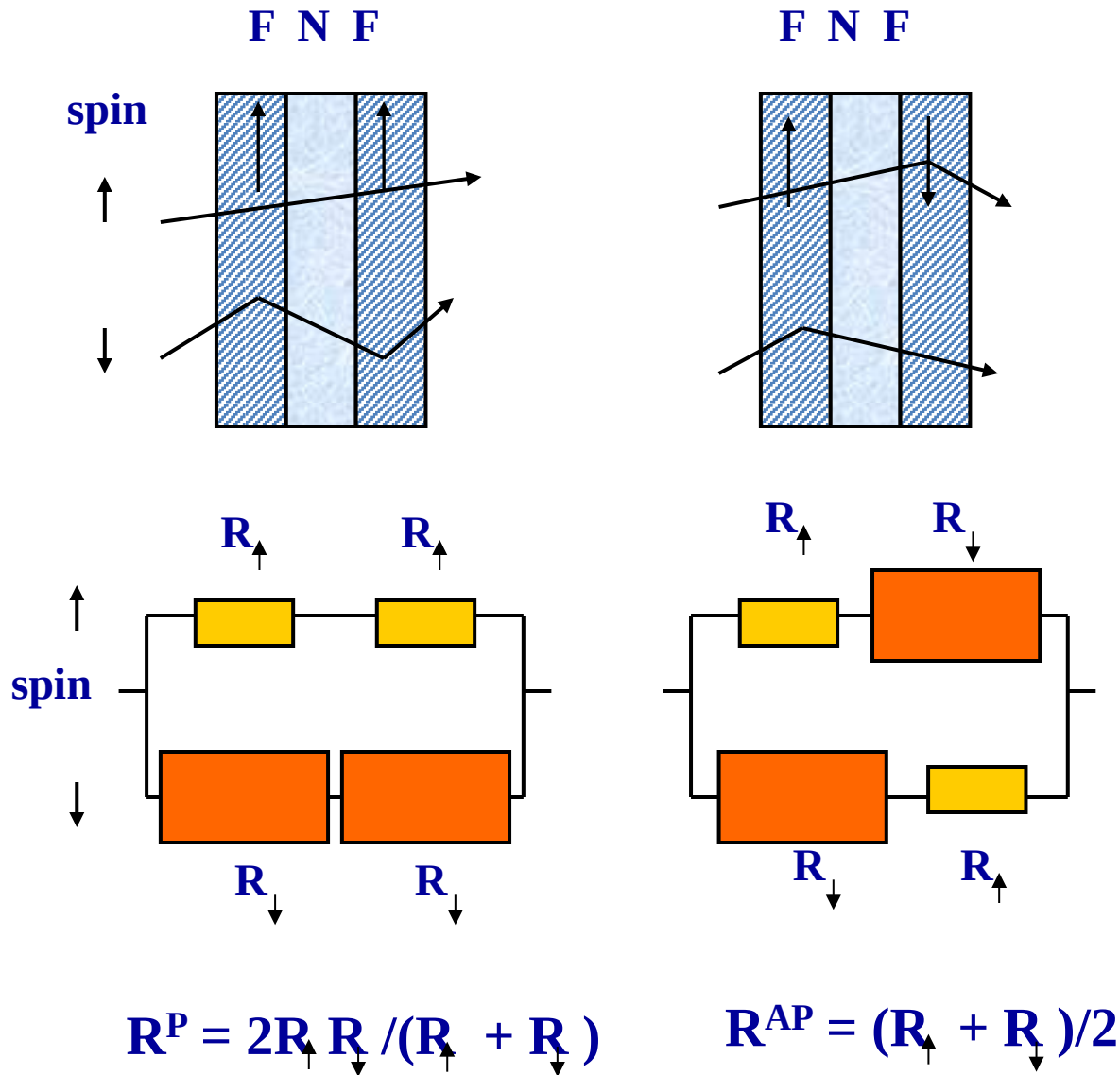
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A. Fert Group & P. Grünberg (1988)



Phys. Rev. Lett. 61, 2472 (1988)

Phys. Rev. B 39, 4828 (1989)

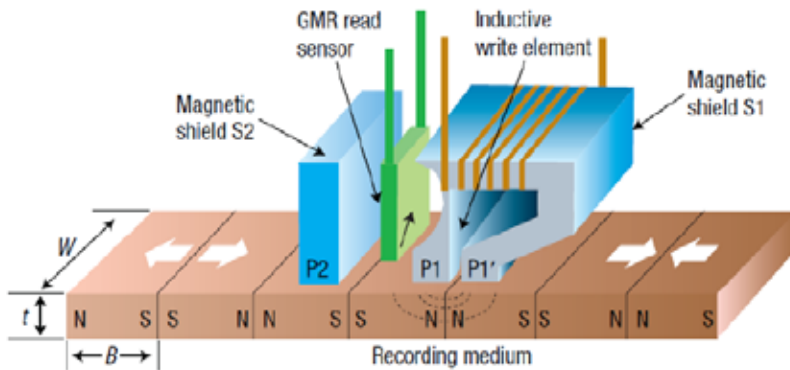
GMR in tri-layer



The Nobel Prize in Physics 2007

The Nobel Prize in Physics 2007 was awarded jointly to
Albert Fert and Peter Grünberg
"for the discovery of Giant Magnetoresistance"

1000x capacity of hard drives



A. Fert



P. Grunberg



Front



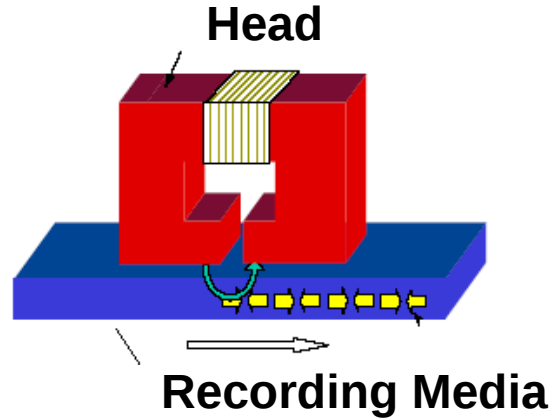
Back

Spintronics & Applications of Magnetism

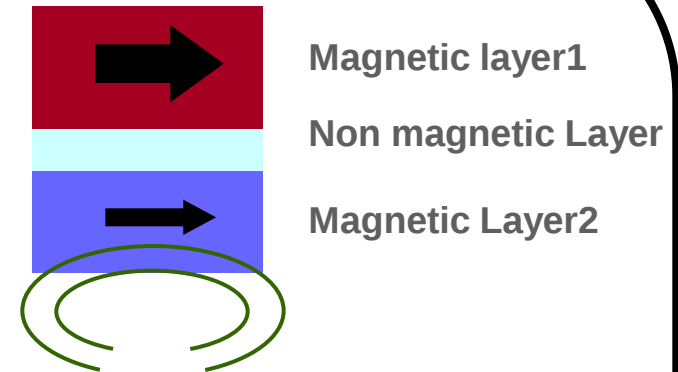
Magnetic Data Storage



Hard disk drive

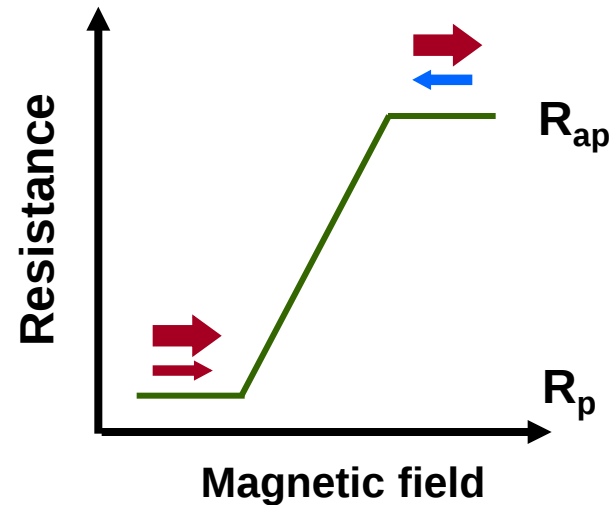


Recording Media



- Giant Magnetoresistance (GMR)
- Tunnel Magnetoresistance (TMR)

$$\frac{DR}{R} = \frac{R_{ap} - R_p}{R_p} = 1 \sim 400\%$$

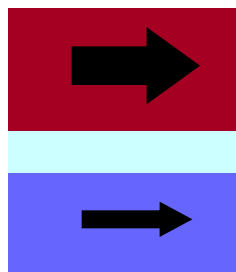


Spintronics & Applications of Magnetism

Memory



64 Mbits STT-MRAM (MRAM),
Everspin



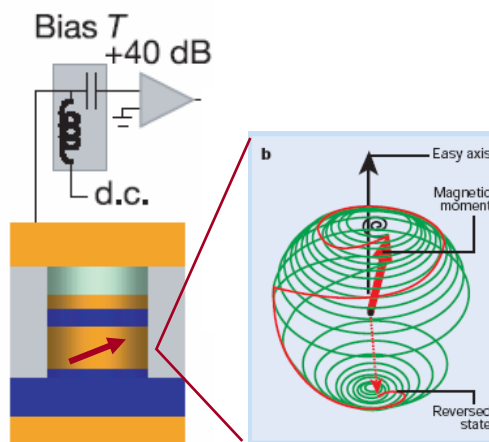
Magnetic layer1

Tunnel barrier

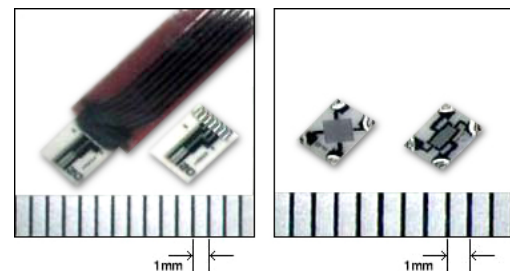
Magnetic layer2

Magnetic tunnel
junction

Electrical Components



Microwave oscillators



Magnetic sensors

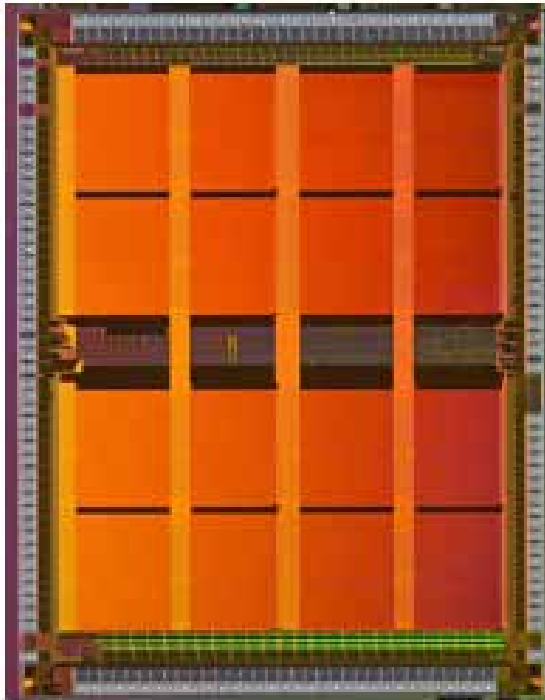
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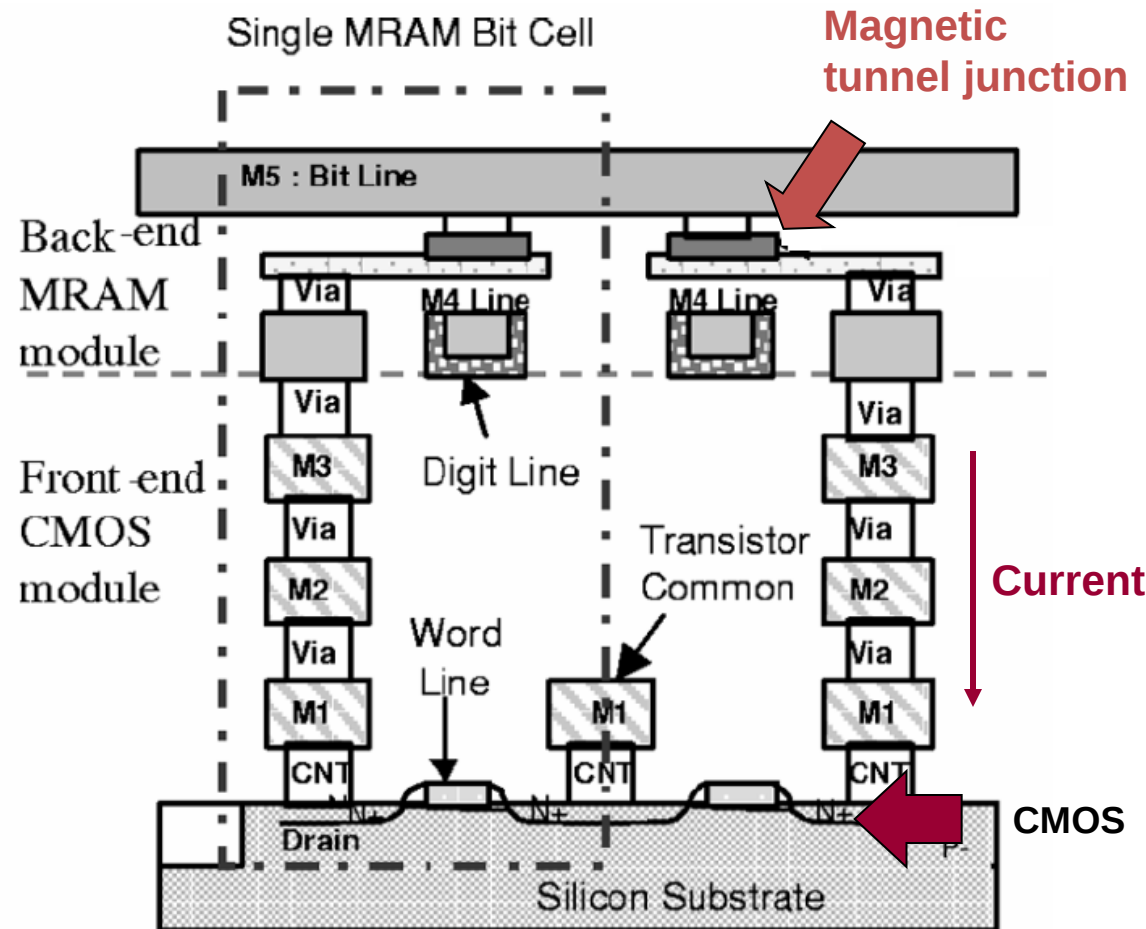
MRAM

Magnetoresistive Random Access Memory

Conventional Magnetoresistive RAM (MRAM)



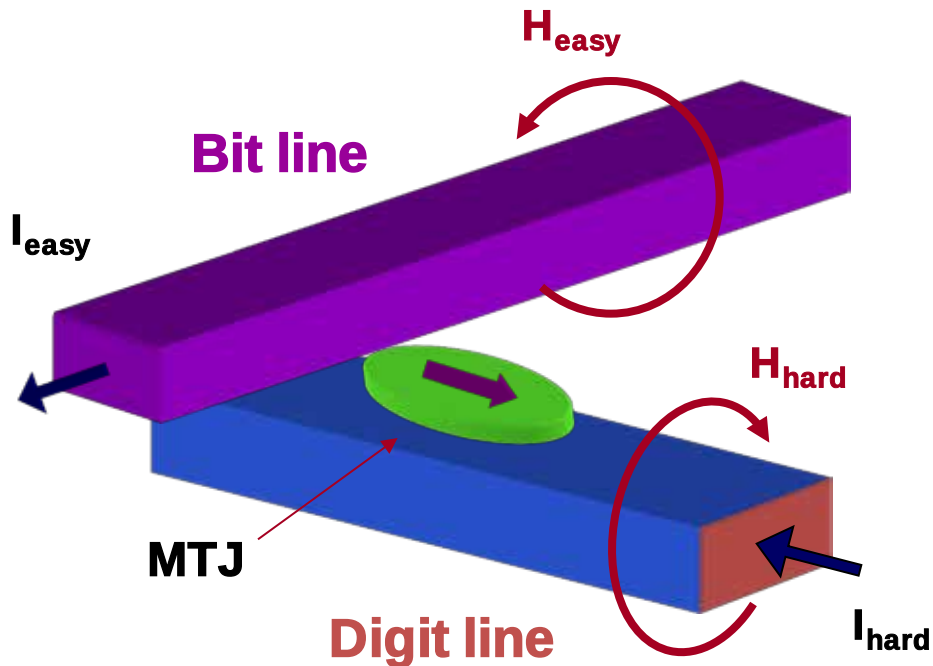
4 Mbits Magnetoresistive RAM (MRAM), Everspin Inc.



S. Tehrani (2003) Proc. of IEEE 91 p704

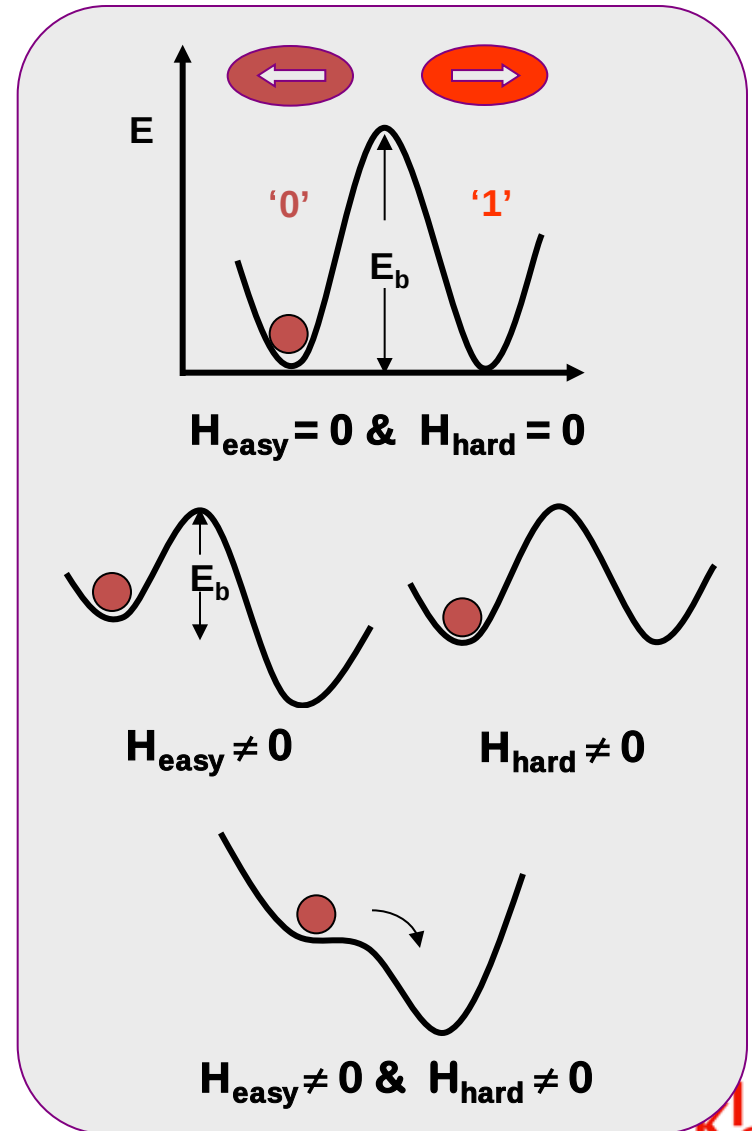
Basic MRAM operation

Writing operation



Cross-point architecture

S. Tehrani (2003) Proc. of IEEE 91 p704



MRAM into market



MRAM used as write journal for RAID Storage

Power fail recovery increasing system reliability & uptime



Recognized Everspin for Perfect MRAM Quality

250k+ systems with no reported failures to-date



Critical Storage for Industrial Computing Boards

Robust & reliable non-volatile memory solution



MRAM products for A350 Flight Control Computer

Critical program and data storage in extreme environment



Non-volatile memory for Superbike Engine Control

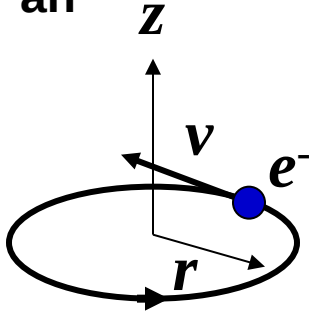
Reliable power fail safe memory for automotive temperature

STT-MRAM

(Spin-Transfer-Torque
Magnetoresistive Random
Access Memory)

Magnetic moment vs angular momentum

Classical model for an atom:



$$\vec{\mu}_L = \gamma \vec{L} \quad \gamma = -\frac{evr/2}{rm_e v}$$

Magnetic moment for atomic orbit:

$$\begin{aligned} \vec{m}_L &= I \vec{A} \\ &= -\frac{e}{2} \frac{ev}{pr} \left(\pi r^2 \right) \hat{z} \\ &= -\frac{evr}{2} \hat{z} \end{aligned}$$

Angular momentum for atomic orbit:

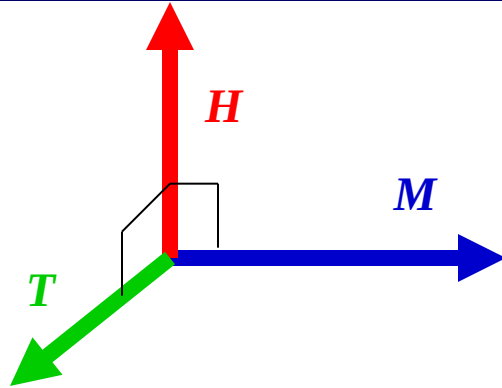
$$\begin{aligned} \vec{L} &= \vec{r} \times \vec{p} \\ &= rmv \hat{z} \end{aligned}$$

“The gyromagnetic ratio”

$$\boxed{g_L = -\frac{e}{2m_e} = -\frac{m_B}{h}} \longrightarrow g_s = -\frac{2m_B}{h}$$

For spin angular momentum, extra factor of 2 required.

Larmor Equation



$$\dot{T} = m_0 \dot{M}' \dot{H}$$

Magnetic field exerts torque on magnetization.

(definition of torque) $\frac{d\dot{L}}{dt} = \dot{T}$ $g^o \frac{m}{L}$ (gyromagnetic ratio)

$$\begin{aligned} \frac{d\dot{M}}{dt} &= g\dot{T} \\ &= gm_0 (\dot{M}' \dot{H}) \end{aligned}$$



Spin transfer torque

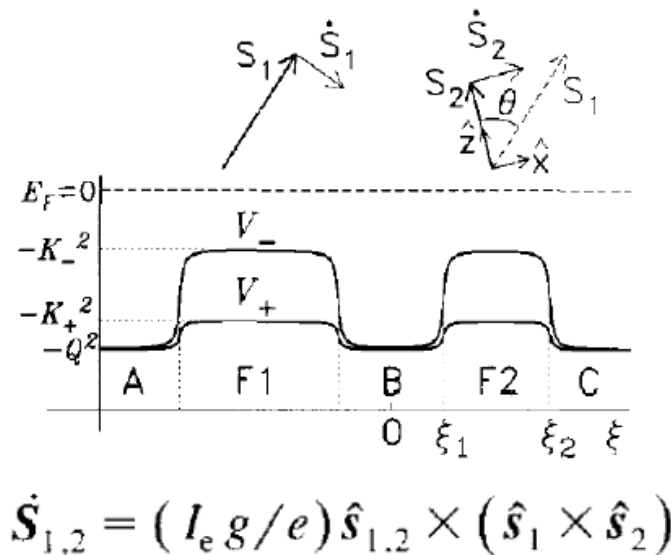
In 1996, Slonczewski and Berger independently calculated the spin torque in metallic multilayers.

Current-driven excitation of magnetic multilayers

J.C. Slonczewski *

IBM Research Division, Thomas J. Watson Research Center, Box 216, Yorktown Heights, NY 10596, USA

Received 27 October 1995; revised 19 December 1995

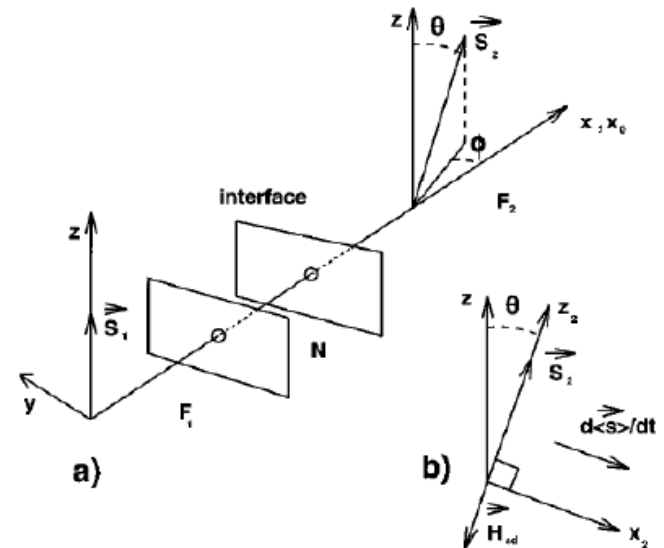


Emission of spin waves by a magnetic multilayer traversed by a current

L. Berger

Department of Physics, Carnegie-Mellon University, Pittsburgh, Pennsylvania 15213-3890

(Received 31 January 1996)



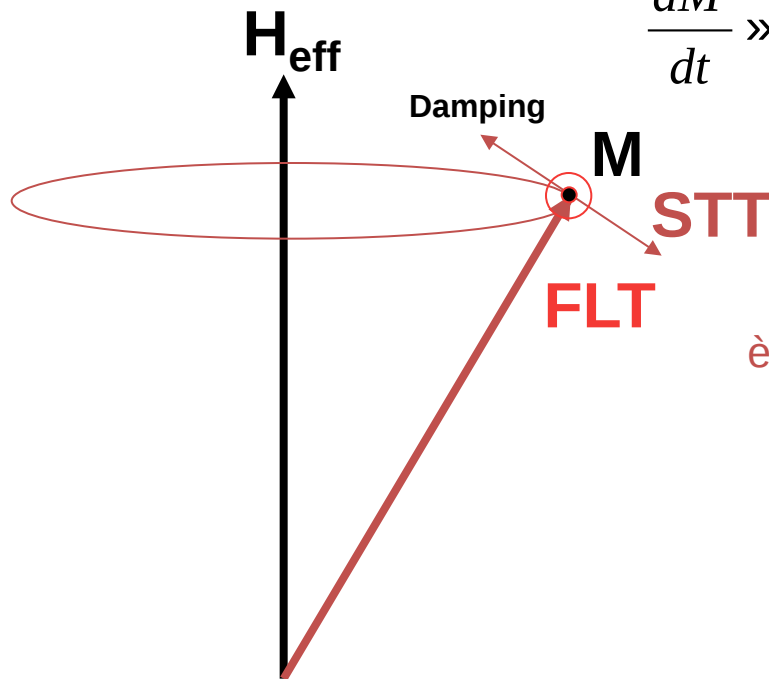
Equation of motion

$$\frac{d\dot{\mathbf{M}}}{dt} = -g \dot{\mathbf{M}}^r \cdot \mathbf{H} + \frac{a}{M_S} \dot{\mathbf{M}}^r \cdot \frac{d\dot{\mathbf{M}}}{dt} + \underbrace{\frac{ga_J}{M_S^2} \dot{\mathbf{M}}^r \cdot (\dot{\mathbf{M}}^r \cdot \mathbf{M}_2)}_{\text{In-plane STT}} + \underbrace{\frac{gb_J}{M_S} (\dot{\mathbf{M}}^r \cdot \mathbf{M}_2)}_{\text{Perpendicular STT}}$$

In-plane STT

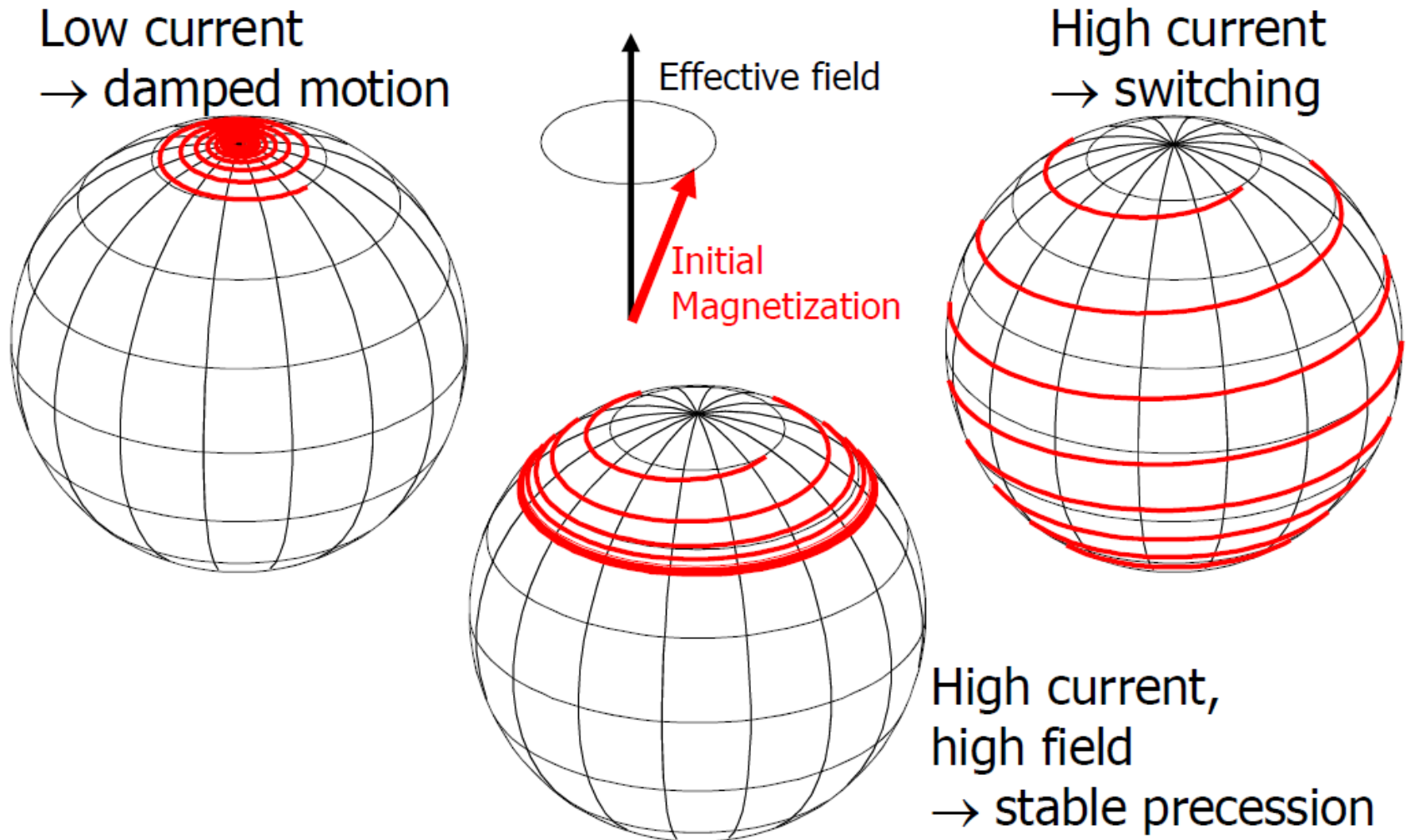
Perpendicular STT

$$\frac{d\dot{\mathbf{M}}}{dt} \gg -g \dot{\mathbf{M}}^r \cdot (\mathbf{H} + b_J \mathbf{M}_2) - \frac{g}{M_S} \dot{\mathbf{M}}^r \cdot [\dot{\mathbf{M}}^r \cdot (a\mathbf{H} + a_J \mathbf{M}_2)]$$



è In-plane torque (a_J) competes with the damping (α)
whereas perpendicular torque (b_J) acts like an effective magnetic field.

Current-induced Switching dynamics



How much current to induce spin dynamics?

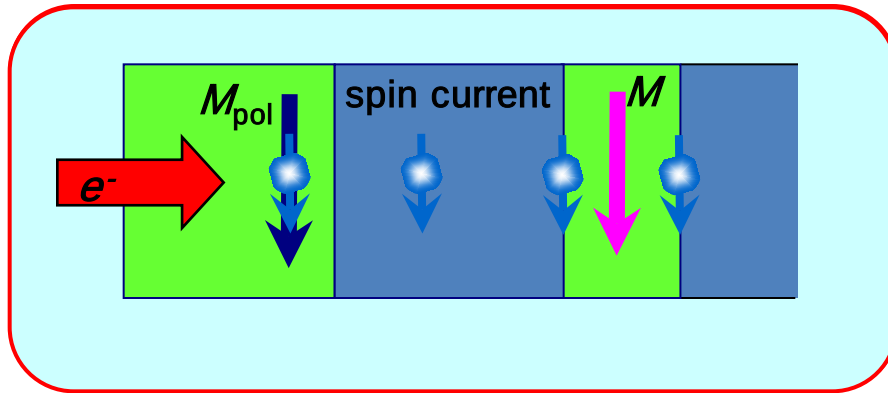
Torque μ to current density: must have high current *densities* to produce large torques

	Typical wire	Required I_{dc}	Possible
	 1 mm	$I \gg 0.1 \text{ MA}$	X
	 10 nm	$I \gg 10 \text{ A}$	X
	 $\gg 500$ atoms across 100 nm	$I \gg 1 \text{ mA}$	✓

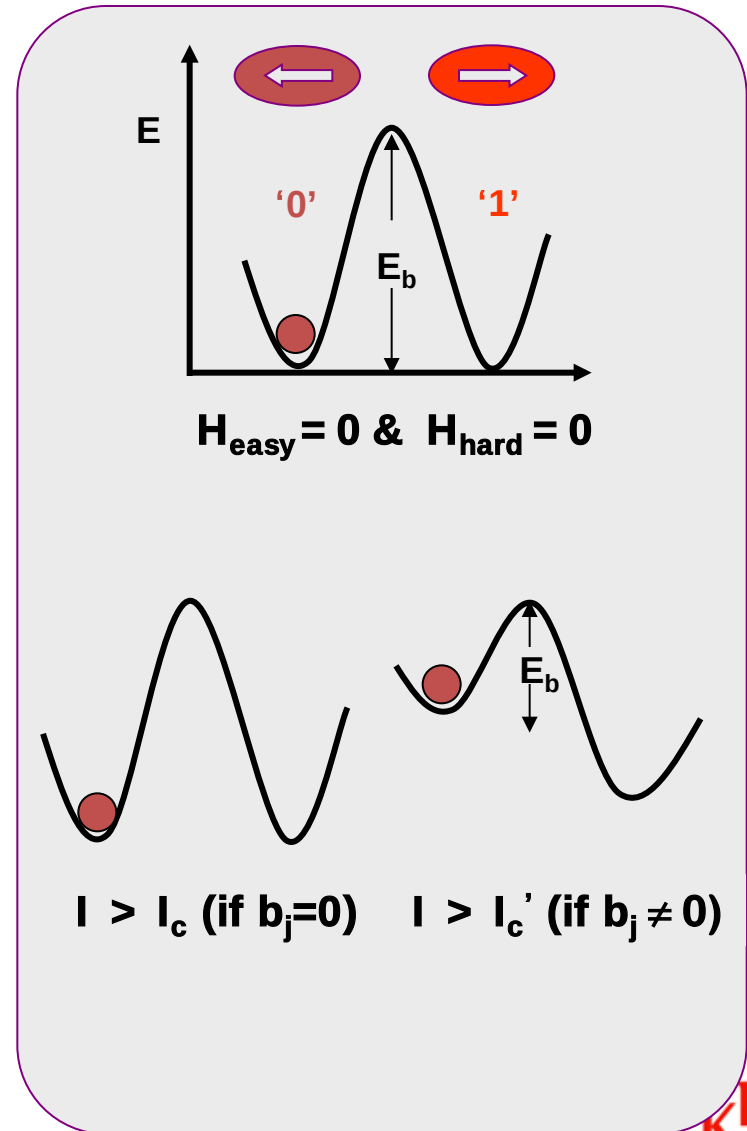
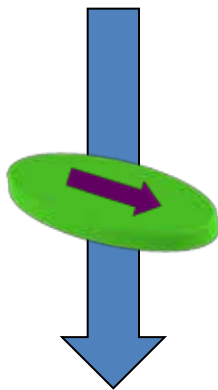
We will use *nanopillar* and *nanocontact* structures

Basic MRAM operation

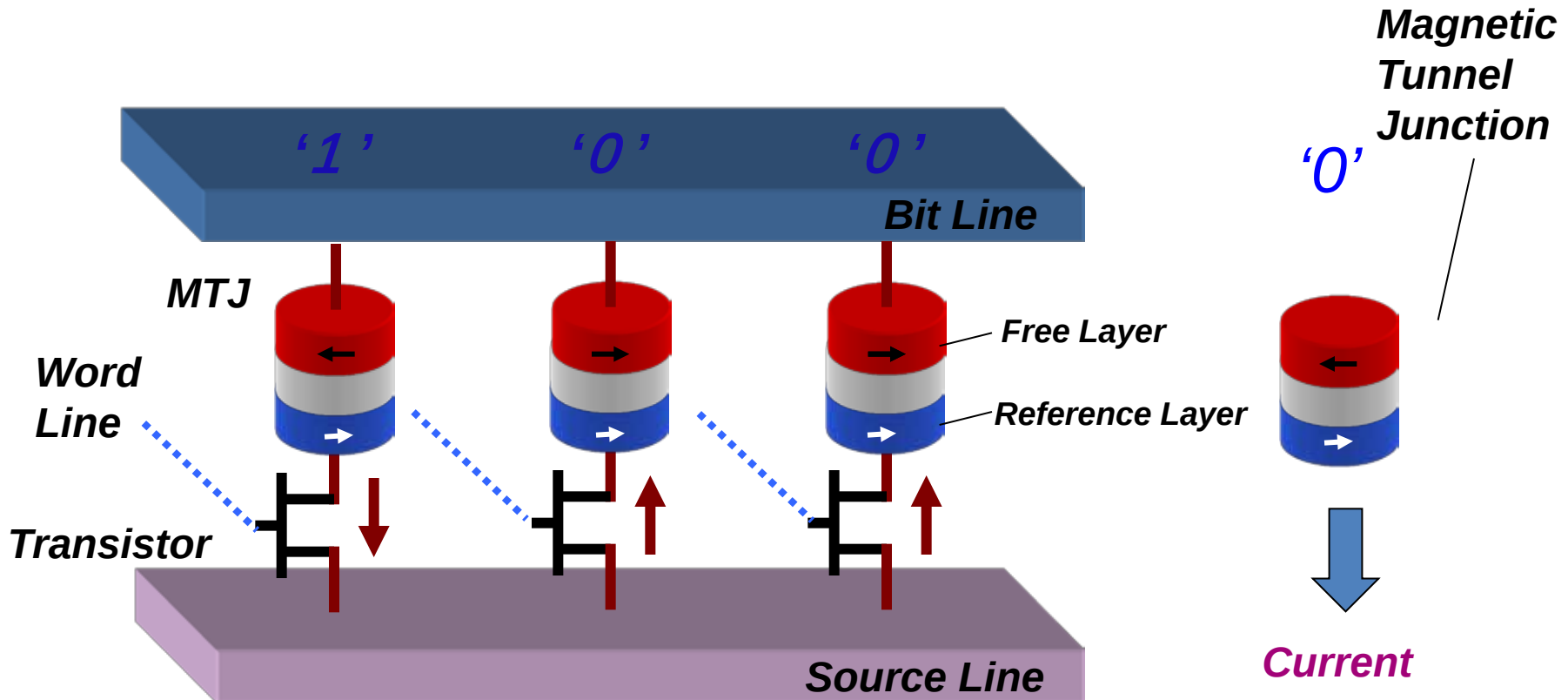
Writing operation



$$\frac{d\vec{M}}{dt} \gg -g\vec{M}' \cdot (\vec{H} + b_j\vec{M}_2) - \frac{g}{M_s}\vec{M}' \cdot [\vec{M}' \cdot (a\vec{H} + a_j\vec{M}_2)]$$



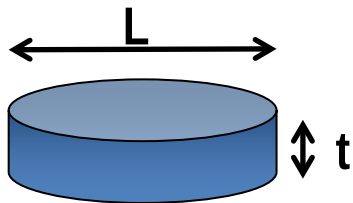
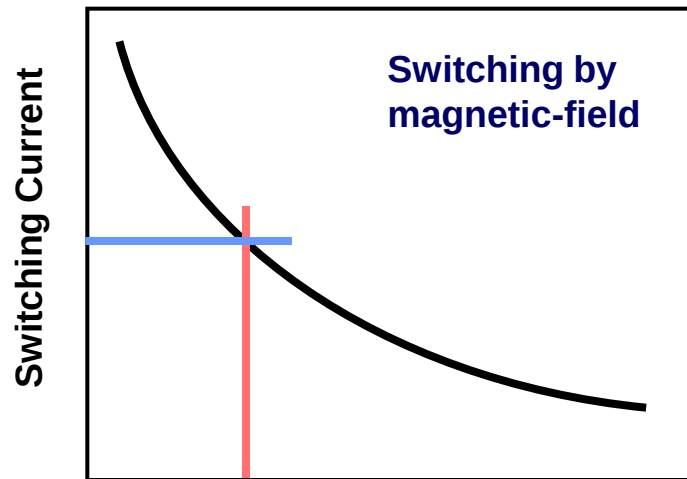
STT-MRAM architecture



*Architecture of
the spin-transfer-torque (STT) memory*

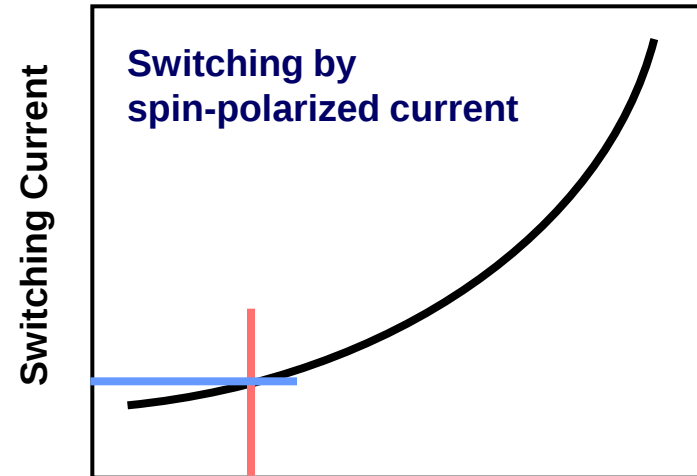
MRAM vs. STT-MRAM

Standard MRAM



- Current (MRAM) $\sim t / L$
è Shape anisotropy dependence

STT-MRAM

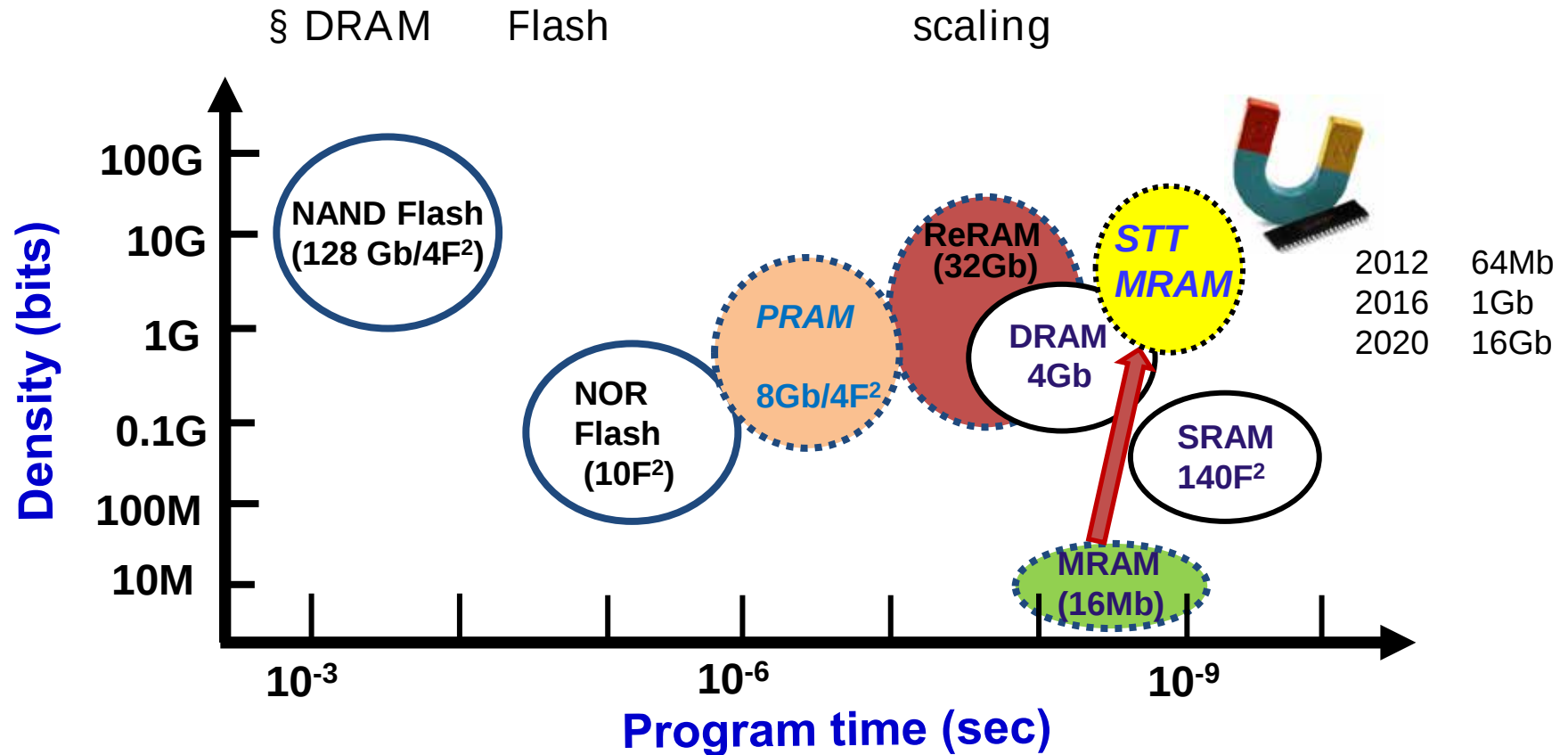


- Current (ST-RAM) $\sim t \times L^2$
è Constant current density

Program Energy
(90 nm process)

Standard MRAM	DRAM/SRAM	FLASH	STT-MRAM
120 pJ	5 pJ	30-120 nJ	0.4 pJ

MRAM into market



STT-MRAM into market



Everspin Introduces **The 64Mb DDR3 ST-MRAM**



STT-MRAM in Korea



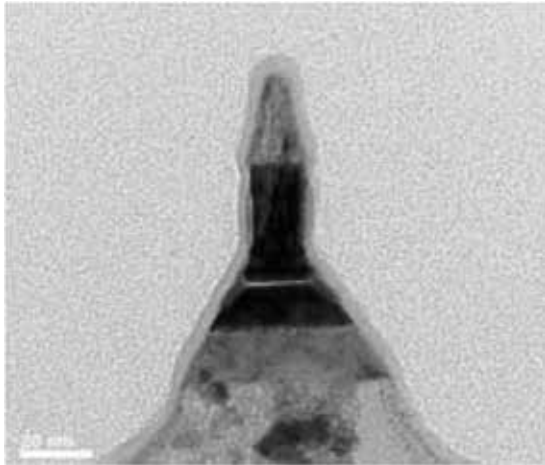
Hynix & Grandis sign
License Agreement
2008. 4. 3

Samsung acquires Grandis
2011. 8. 2

Hynix & Toshiba
co-develop and produce
MRAM products
2011. 7. 13

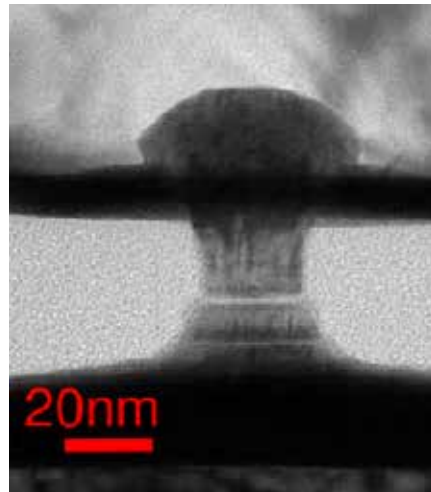
Perpendicular MTJs

17 nm



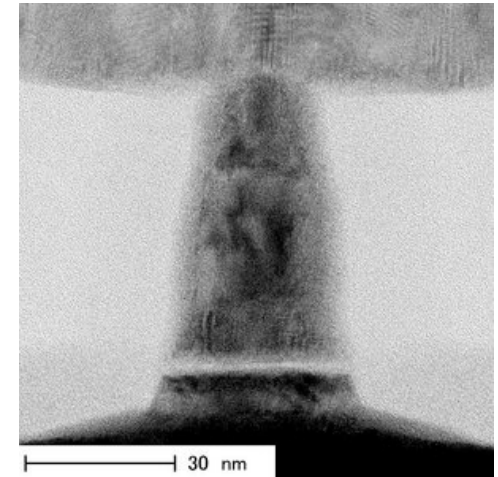
Samsung (2011)

20 nm



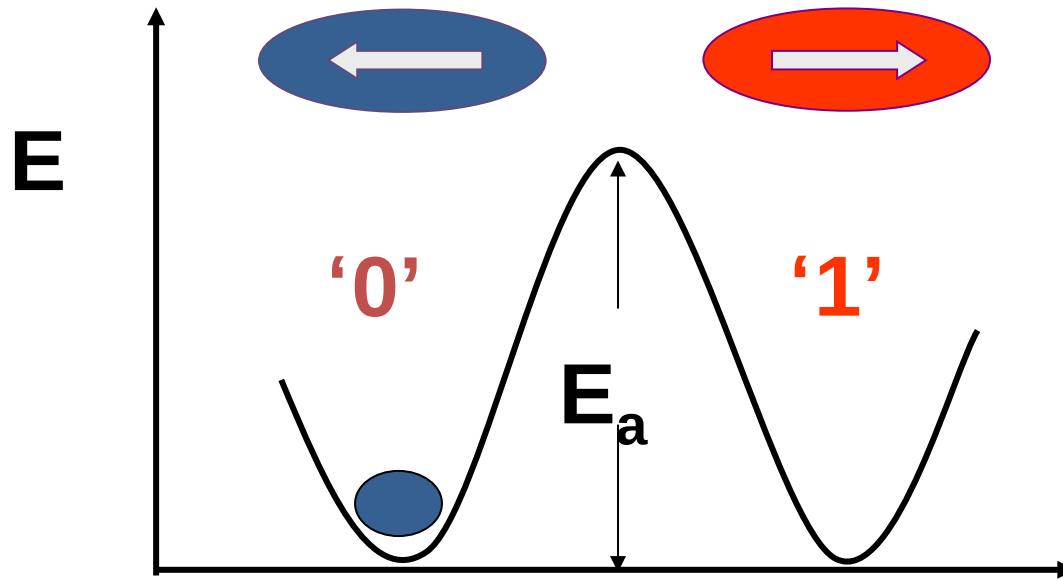
IBM & MagIC (2012)

30 nm



Toshiba & AIST (2012)

Thermally-stable ferromagnets

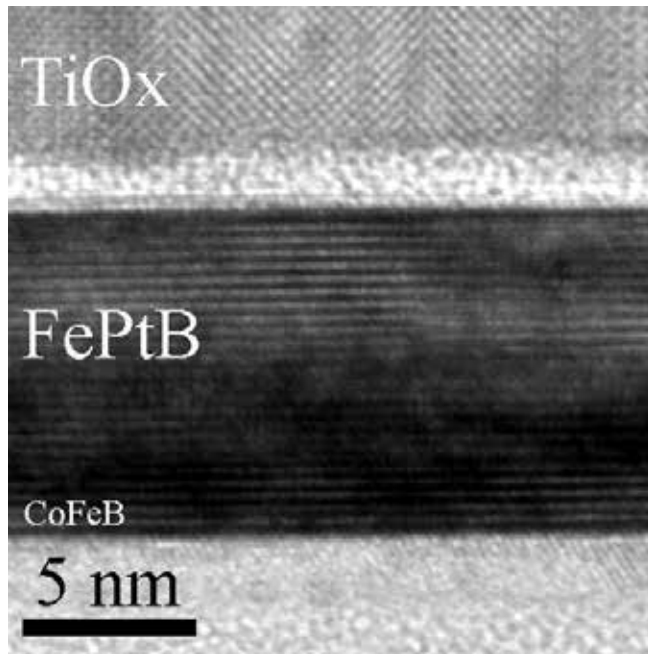


$$E_b = 60 \sim 80 k_B T$$

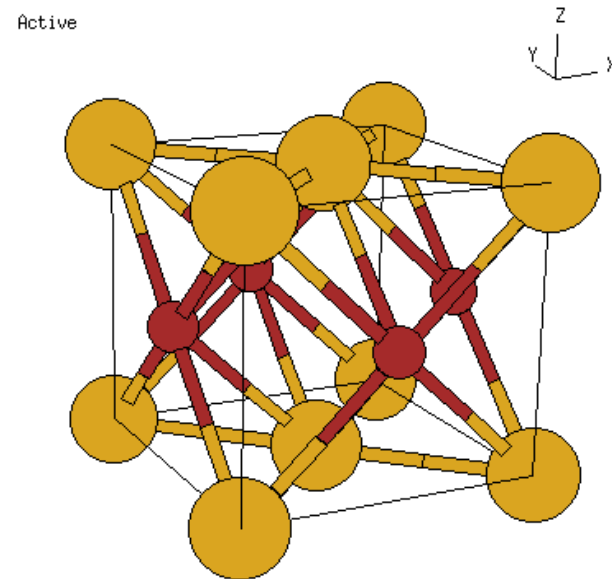
$$D \propto \frac{E_a}{k_B T} \propto \frac{KV}{k_B T}$$

Thermally-stable ferromagnets

- **$L1_0$ structure** of FePtB layer
on the CoFeB/MgO layer



Appl. Phys. A 111, 389 (2013) KIST

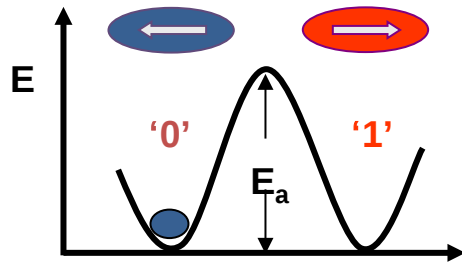


$$K_U > 1.0 \times 10^7 \text{ erg/cc}$$

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STT-MRAM /



$$E_b = 60 \sim 80 k_B T$$

$$D \propto \frac{E_a}{k_B T} \propto \frac{KV}{k_B T}$$

- High power consumption (Joule heating) in magnetization switching

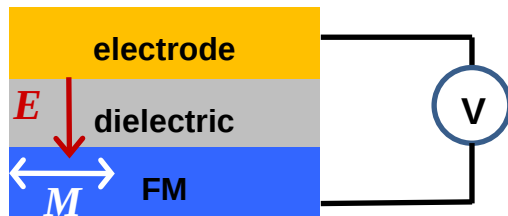
$$I = 10 \text{ mA}$$

$$V = 0.5 \text{ V}$$

$$t = 5 \text{ nsec}$$

$$E = 25 \text{ fJ} = 6.25 \times 10^6 k_B T$$

$$E_b = 60 \sim 80 k_B T$$

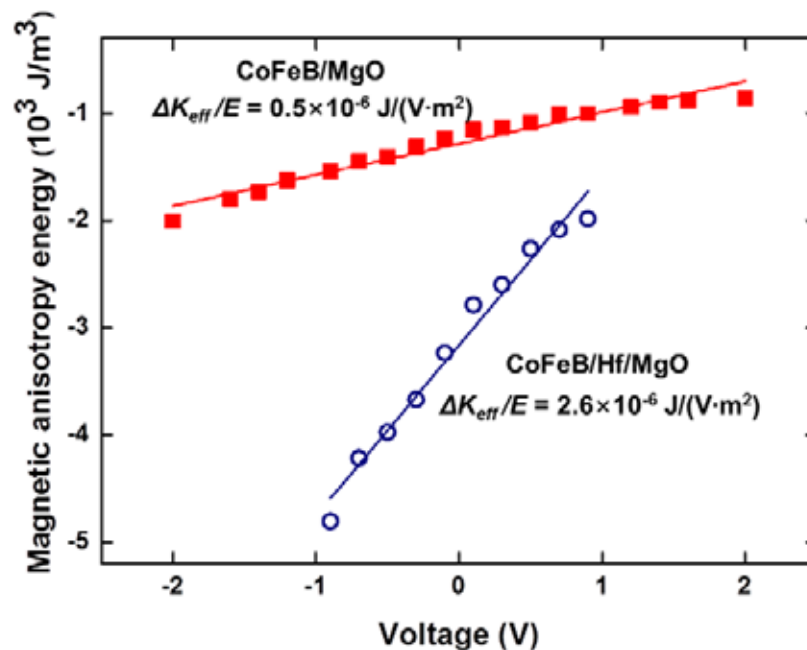
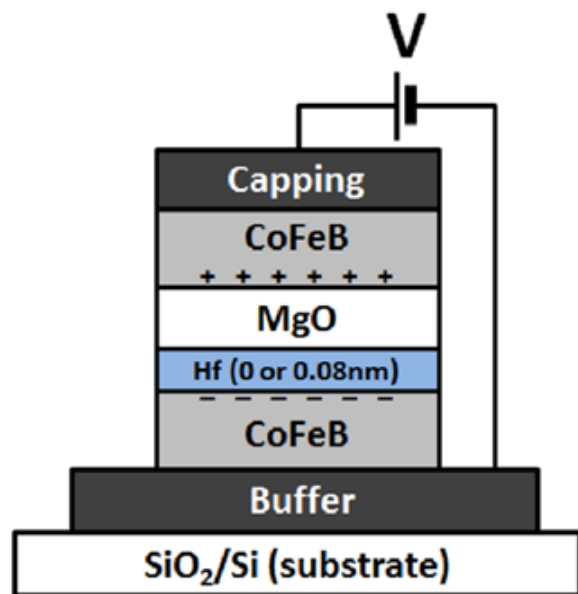


- Electric Field Control of Magnetization

- Reduced power consumption
- Compatibility of electric field effect devices with semiconductor integrated circuits

Enhanced E-field control of magnetism

- Enhanced electric-field control of magnetism by interface engineering



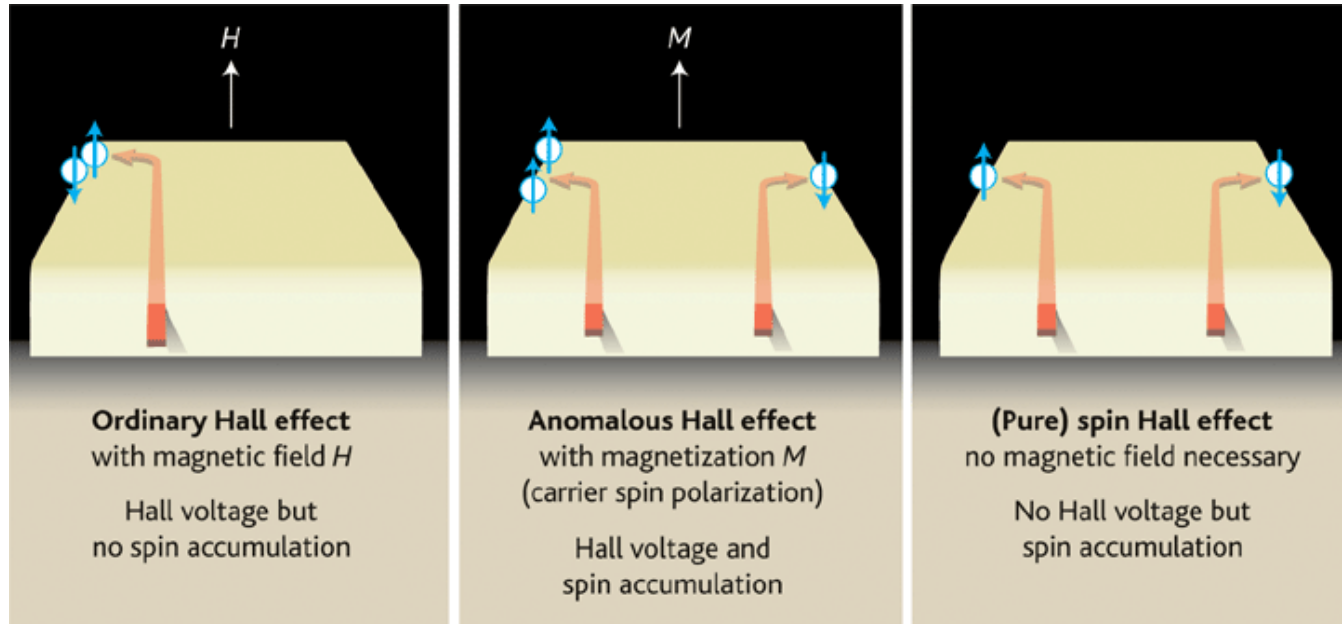
J. Phys. D 48, 225002 (2015)

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- Ø *Spin –Transfer-Torque Magnetoresistive Random Access Memory (STT –MRAM)*
- Ø *E-field Control of Magnetism*
- Ø *Spin-Orbit-Torque MRAM*
- Ø *Thermal Spin-Transfer Torque*
- Ø *Spin Torque Nano-Oscillator*

Anomalous and Spin Hall effect (AHE)

Ø Magnetoresistance (MR) and Hall effects



$$V_{\text{NHE}} = \frac{R_0 I}{d} H_z$$

$$V_{\text{AHE}} = \frac{R_s I}{d} M_z$$

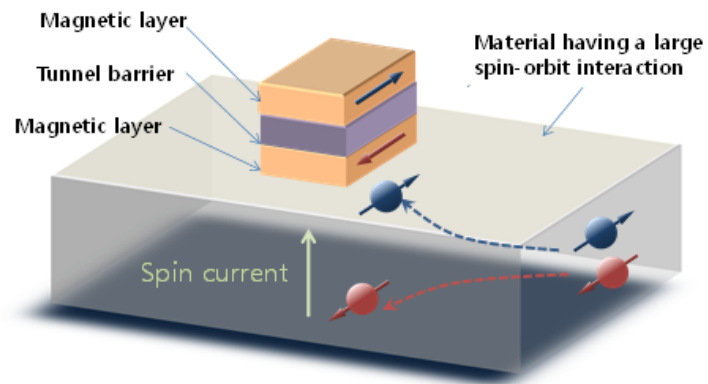
(SOT)-MRAM

- , ,
- -

emerging

Mott device (Magnetoresistance)

à Dirac device (S-O coupling)

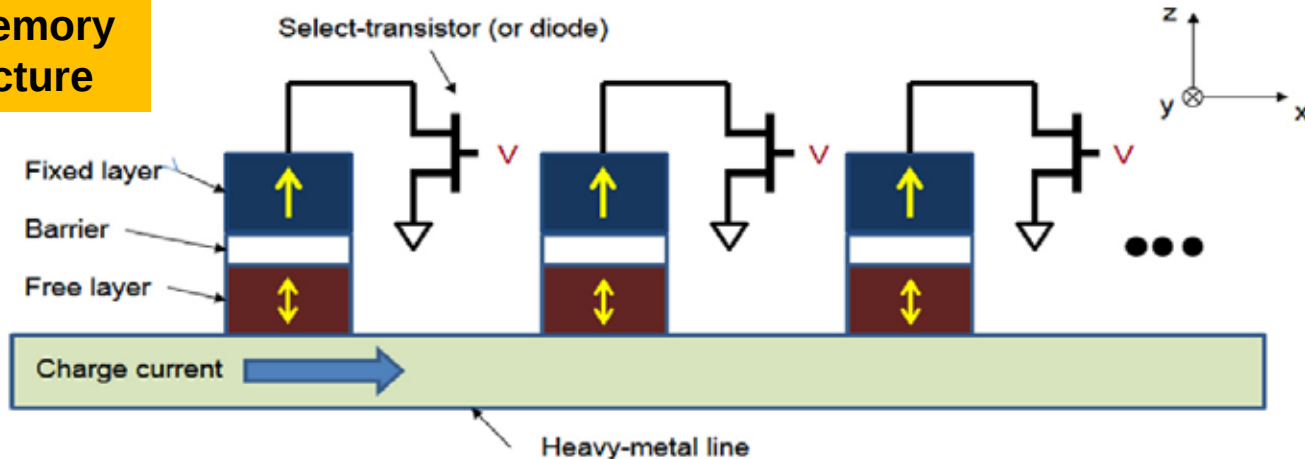


	STT-MRAM	SOT-MRAM
TMR	TM	J
RA	TM	J
Write current (I_{sw})	TM	TM
Speed		J
Stability (D)	TM	TM
Decoupling I_{sw} & D	Đ	TM
Endurance	TM	J

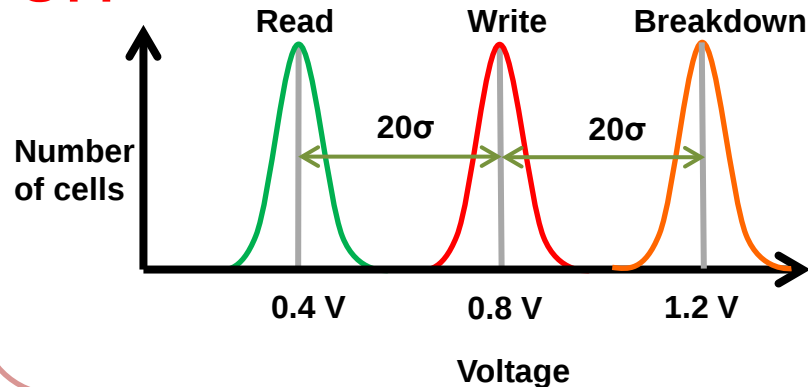
(SOT)-MRAM

1. E-field control of magnetic anisotropy
2. Switching of nano-magnet by spin-Hall effect/ spin-orbit torque

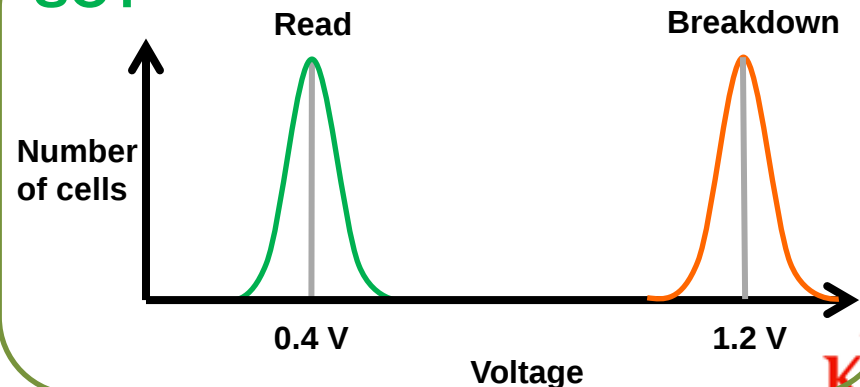
New memory architecture



STT



SOT



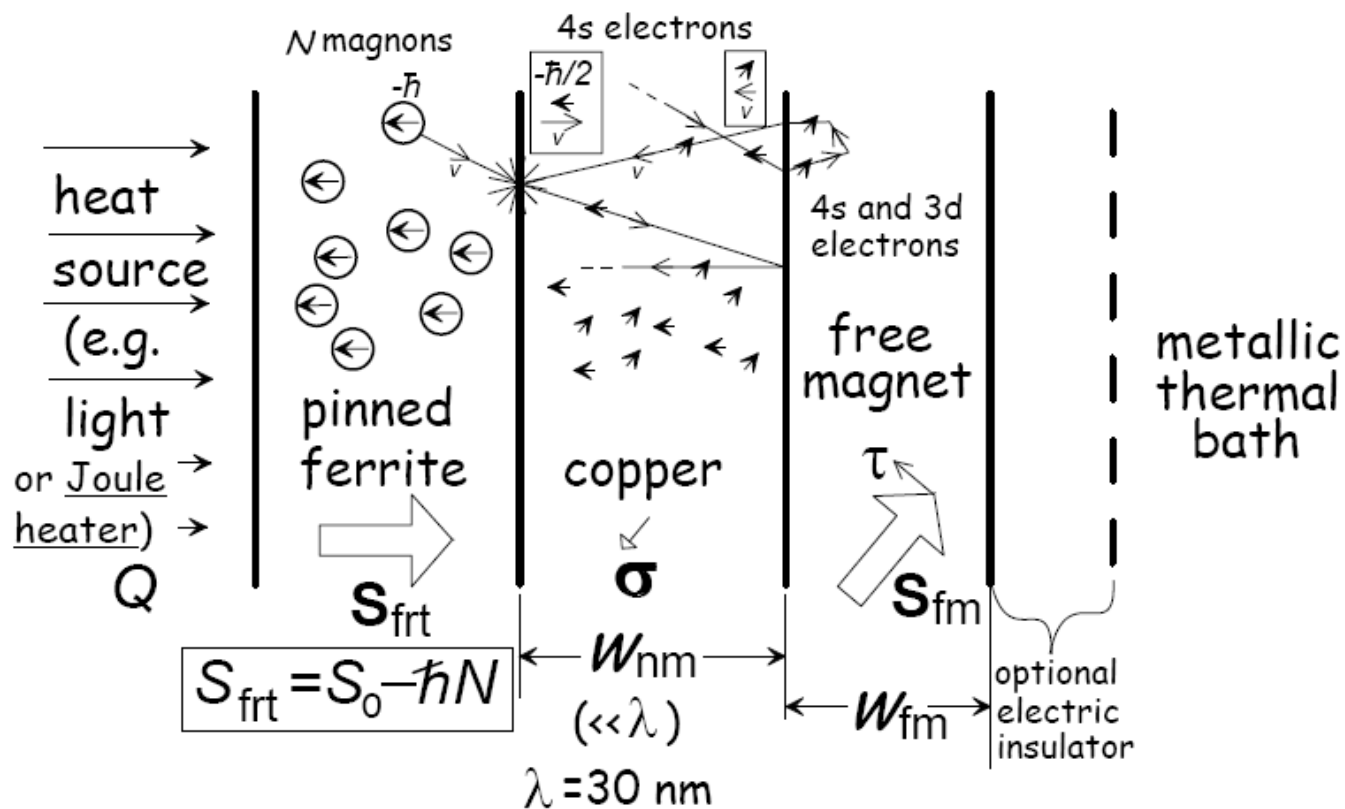
Outline

- Ø *Spin –Transfer-Torque Magnetoresistive Random Access Memory (STT –MRAM)*
- Ø *E-field Control of Magnetism*
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Spin transfer torque driven by heat flow

Physics of thermagnonic spin transfer

Phys. Rev. B **82**, 054403 (2010)



Slonczewski (Kantonah)

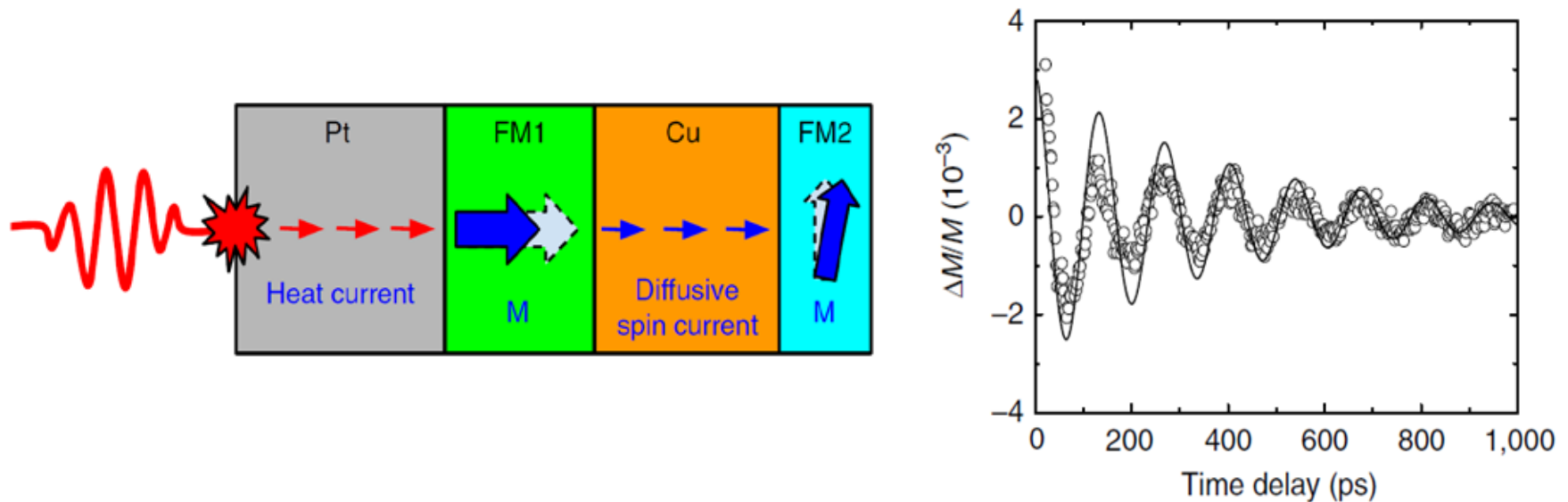
Spin current driven by ultrafast demagnetization

Ø Generation of **spin current** in picoseconds

§ Thermally-driven **ultrafast demagnetization**

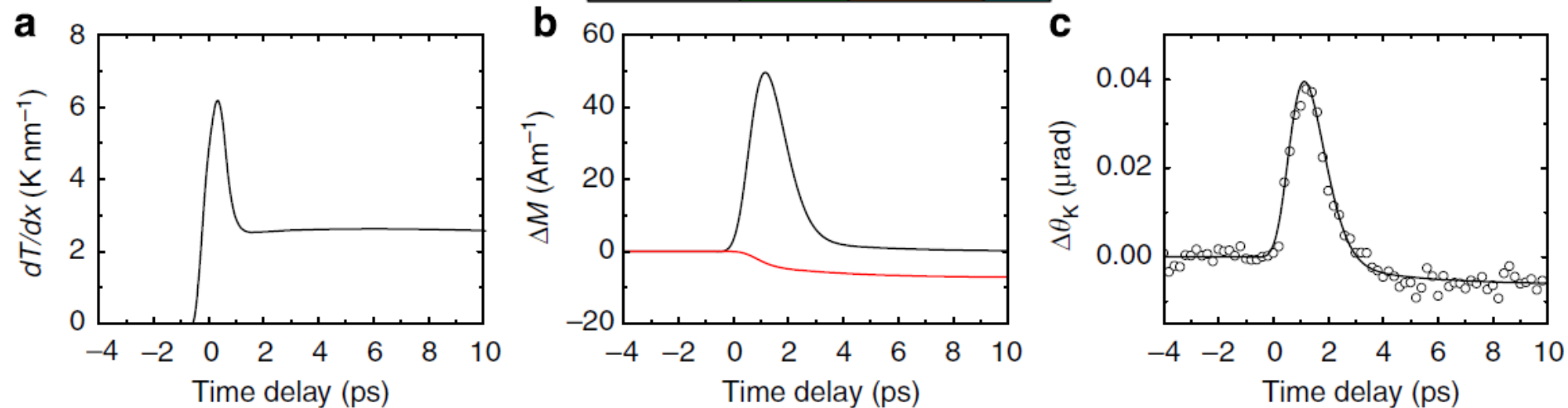
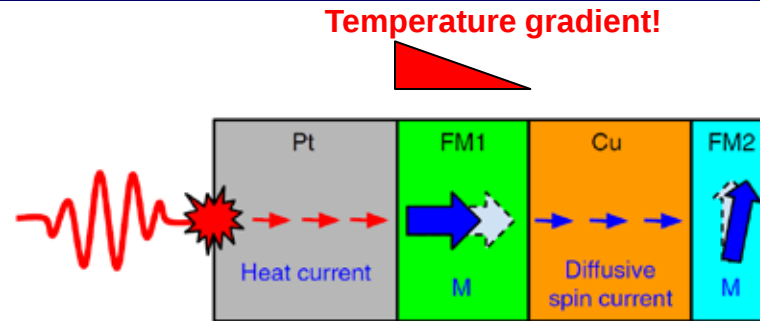
§ Spin accumulation in a normal metal

§ Spin transfer torque in an in-plane ferromagnet



Nature communications 5:4334 (2014)

Spin current by spatial temperature gradient



a. Estimated electronic temperature gradient of Co/Pt layer

b. Estimated spin accumulation at the end of Cu layer (200 nm)

Black: ultrafast demagnetization Red: Spin dependent Seebeck

c. Comparison b/w experimental data and calculation

Spin-dependent Seebeck effect

$$\begin{aligned} \frac{J_+}{eQ_+} &= \frac{s_+}{e} \frac{0}{0} - \frac{s_+ S_+}{e} \frac{0}{0} = \frac{s_+}{e} \frac{0}{0} - \frac{s_+ S_+}{e} \frac{0}{0} \\ \frac{J_-}{eQ_-} &= \frac{s_-}{e} \frac{0}{0} - \frac{s_- S_-}{e} \frac{0}{0} = \frac{s_-}{e} \frac{0}{0} - \frac{s_- S_-}{e} \frac{0}{0} \\ \frac{J_+}{eQ_+} &= \frac{s_+}{e} \frac{0}{0} - \frac{s_+ S_+}{e} \frac{0}{0} = \frac{s_+}{e} \frac{0}{0} - \frac{s_+ S_+}{e} \frac{0}{0} \\ \frac{J_-}{eQ_-} &= \frac{s_-}{e} \frac{0}{0} - \frac{s_- S_-}{e} \frac{0}{0} = \frac{s_-}{e} \frac{0}{0} - \frac{s_- S_-}{e} \frac{0}{0} \end{aligned}$$

$$J_S = J_+ - J_- = - (s_+ S_+ - s_- S_-) \tilde{N} T$$

Thermal spin-transfer torque

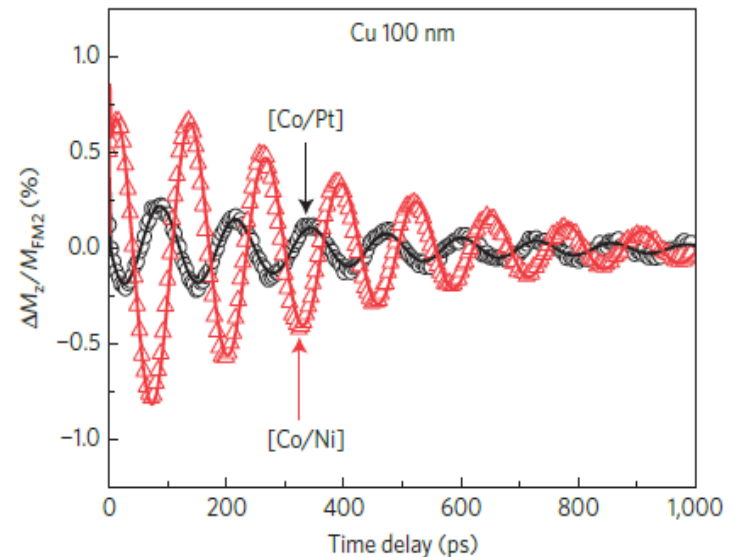
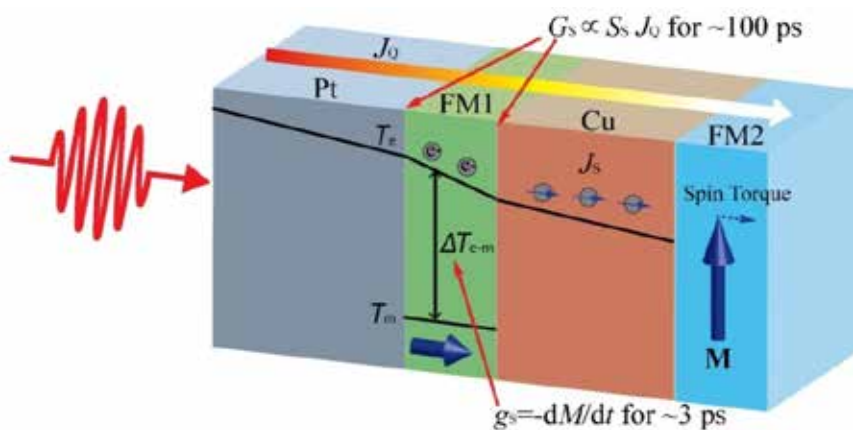
- § Spin-dependent Seebeck effect in metallic spin valves
- § Thermal spin transfer torque and magnetization precession

Pt (20)/ [Co/Pt] (3.2)/ Cu (h)/ CoFeB (2)

$$S_s = 6 \mu\text{V/K}$$

Pt (20)/ [Co/Ni] (3.2)/ Cu (h)/ CoFeB (2)

$$S_s = -12 \mu\text{V/K}$$

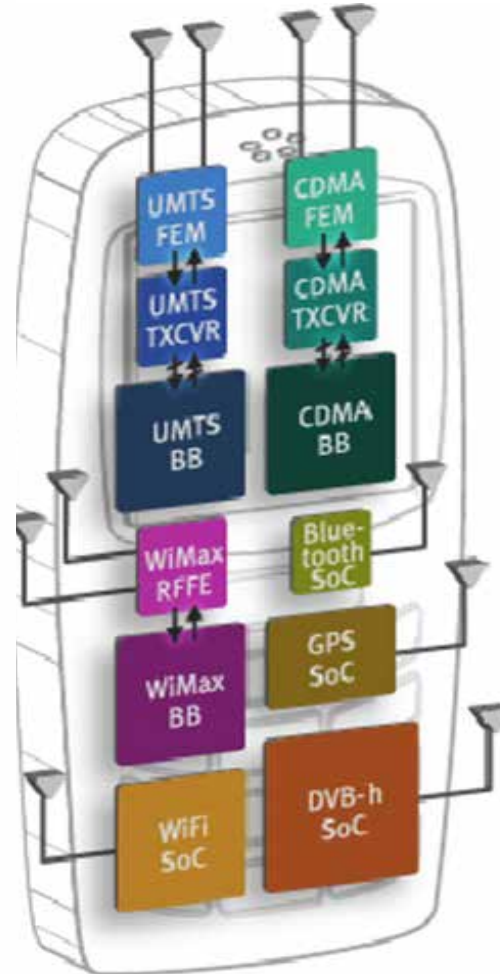


Nature physics 11, 576 (2015)

Outline

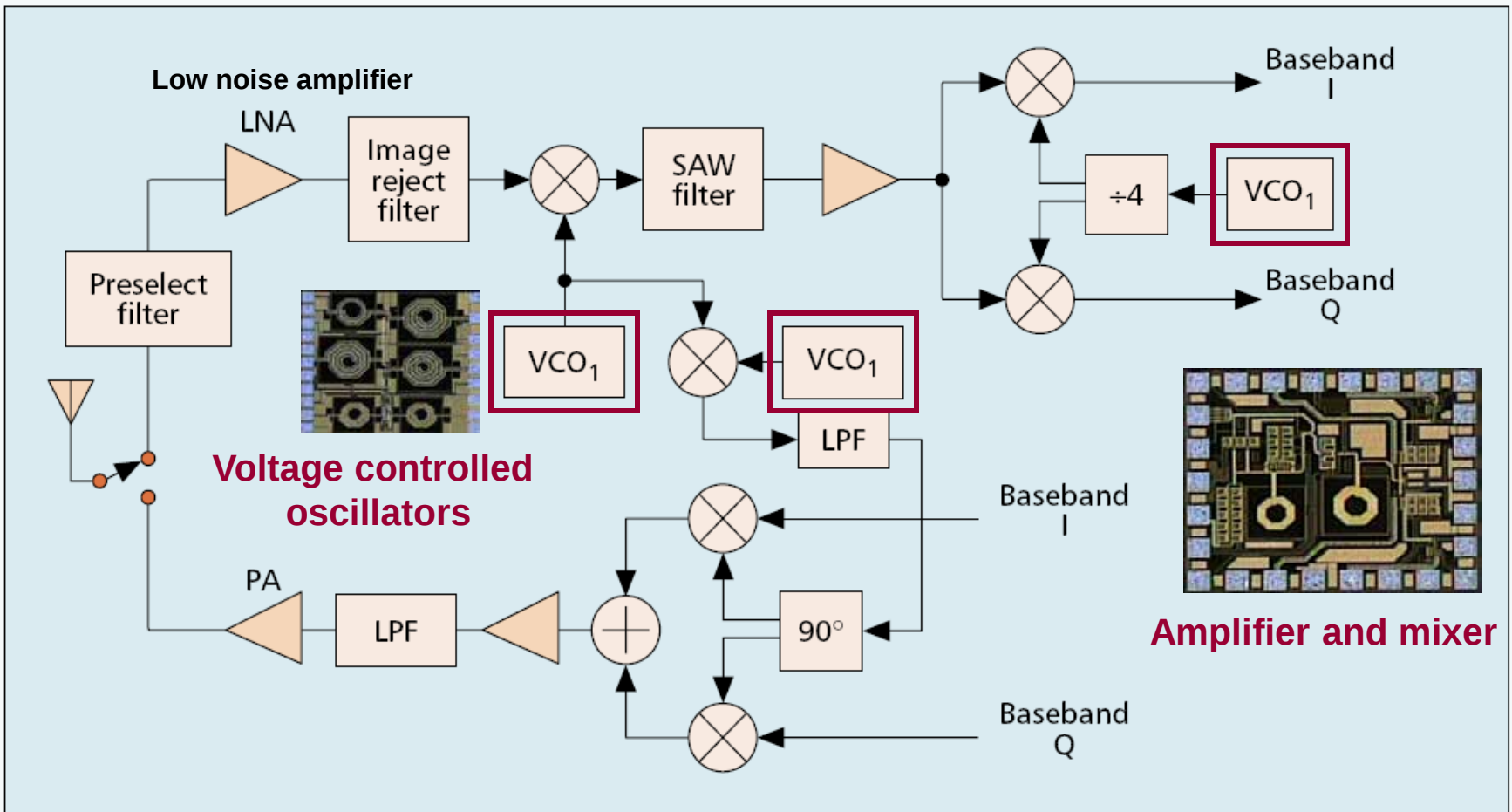
- Ø ***Spin –Transfer-Torque Magnetoresistive Random Access Memory (STT –MRAM)***
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Wireless communication



Microwave oscillator

Heterodyne transceiver

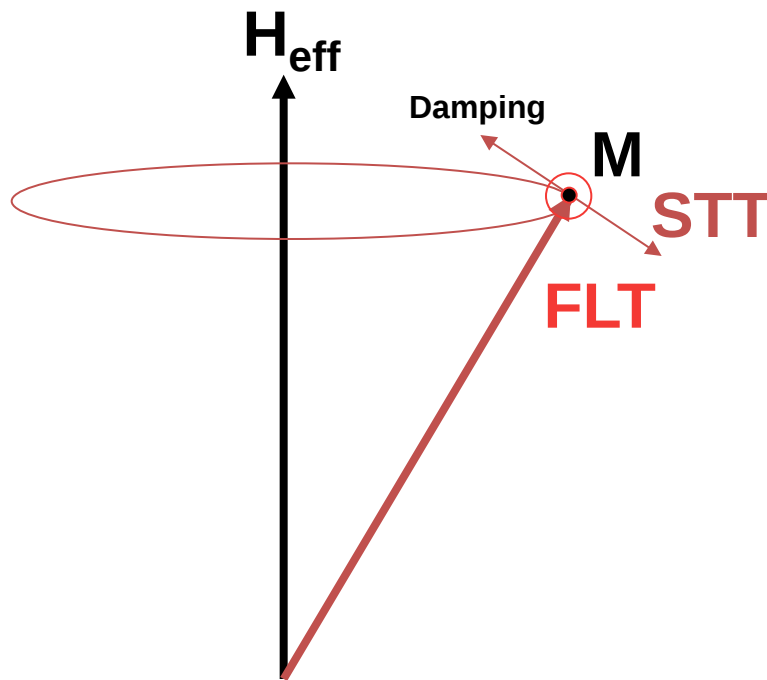


B. Razavi, IEEE Comm. Magazine (2003)

Spin torque nano oscillator

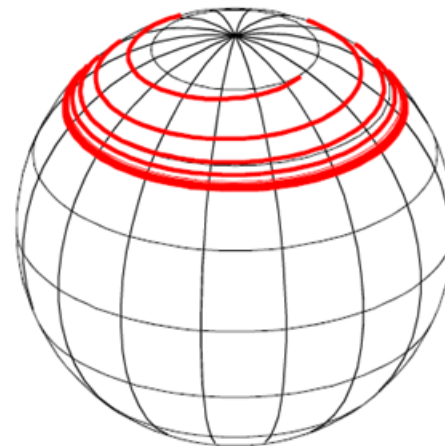
- Ø Precession of magnetization vector by spin transfer torque
- Ø Microwave oscillation in 0.1 – 100 GHz range

$$\frac{d\dot{\mathbf{M}}}{dt} = -g \dot{\mathbf{M}}^r \cdot \mathbf{H} + \frac{a}{M_s} \dot{\mathbf{M}}^r \cdot \frac{d\dot{\mathbf{M}}}{dt} + \underbrace{\frac{ga_J}{M_s^2} \dot{\mathbf{M}}^r \cdot (\dot{\mathbf{M}}^r \cdot \mathbf{M}_2)}_{\text{In-plane STT}} + \underbrace{\frac{gb_J}{M_s} (\dot{\mathbf{M}}^r \cdot \mathbf{M}_2)}_{\text{Perpendicular STT}}$$



In-plane STT

Perpendicular STT



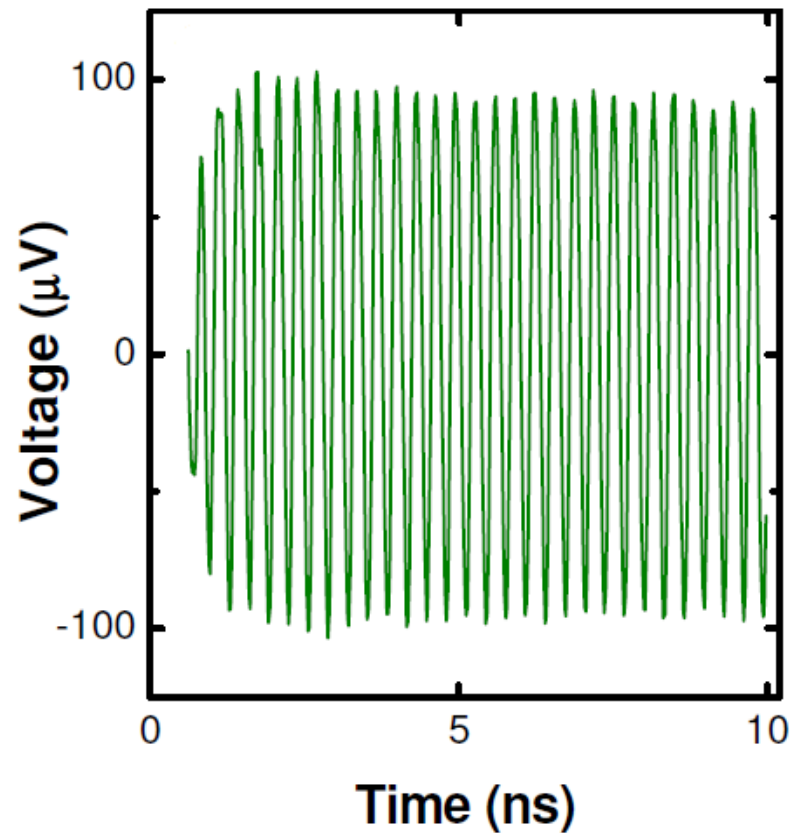
High current,
high field
→ stable precession

Advantages & disadvantages of STNOs

	LC-VCO	STNO
Size	1 mm ²	1 μm ²
Output power	0 dBm	< -30 dBm
Phase noise	-115 dBc @ 400kHz	< -3 dBc @ 400kHz
Power consumption	0.4 mA @0.82V	1~5 mA @0.5V
Tunable range	10%	10-100%
Agility	μs	ns

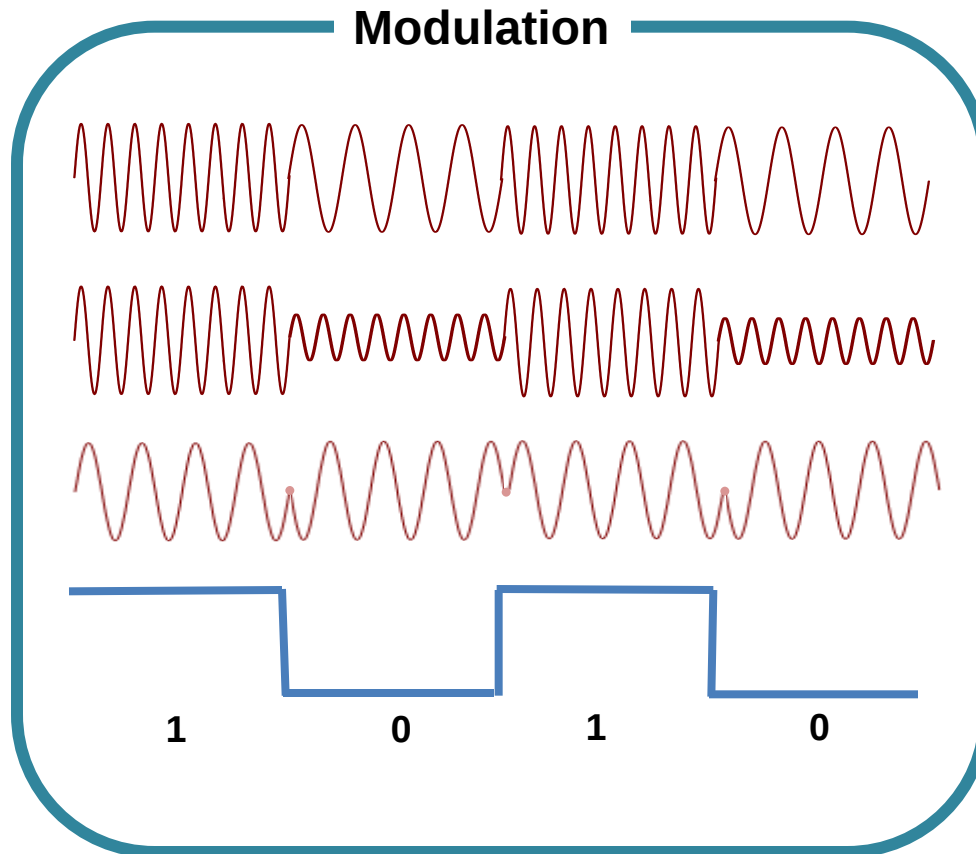
Agility of STNO

Ø STNO can be turned on in a few nanoseconds.



Krivorotov, Science 307, 228 (2005)

Modulation for Wireless Communication

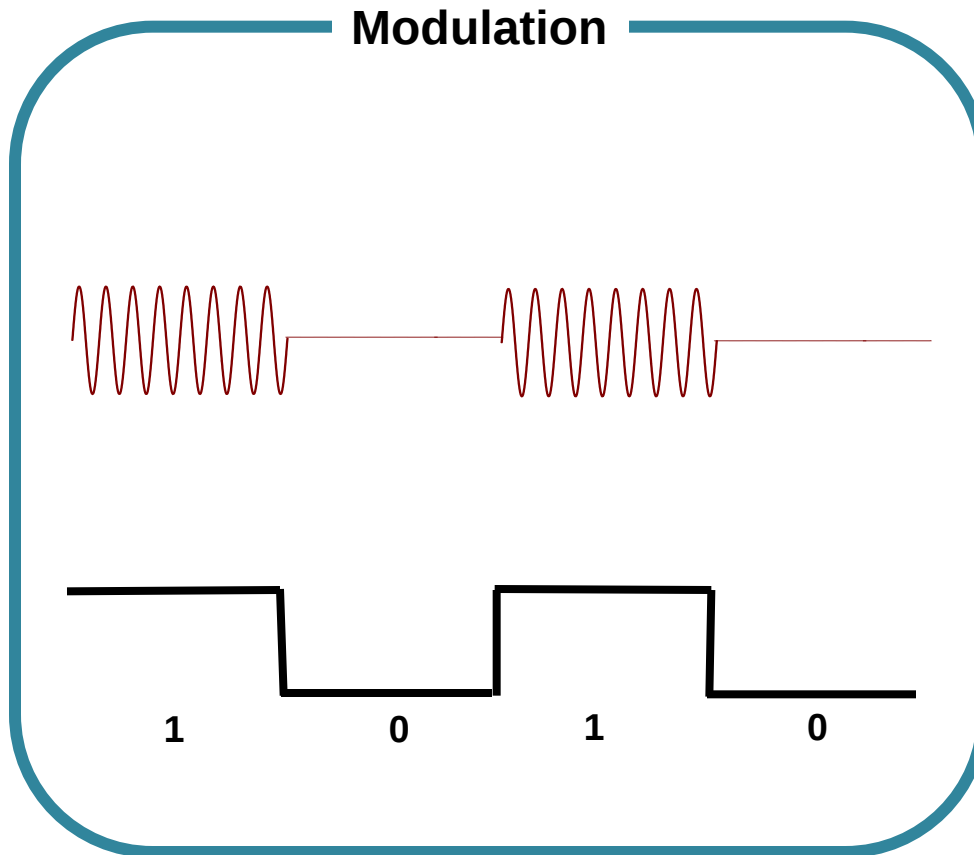


Frequency Shift Keying

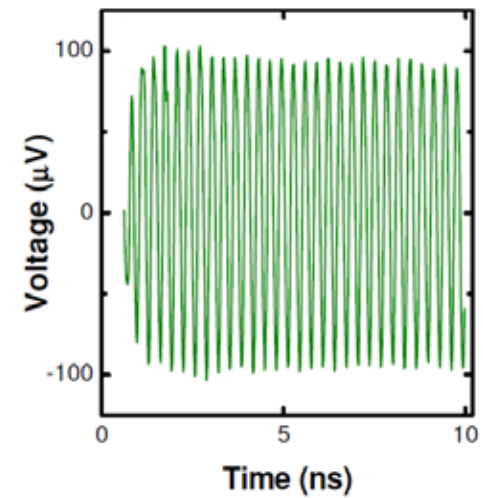
Amplitude Shift Keying

Phase Shift Keying

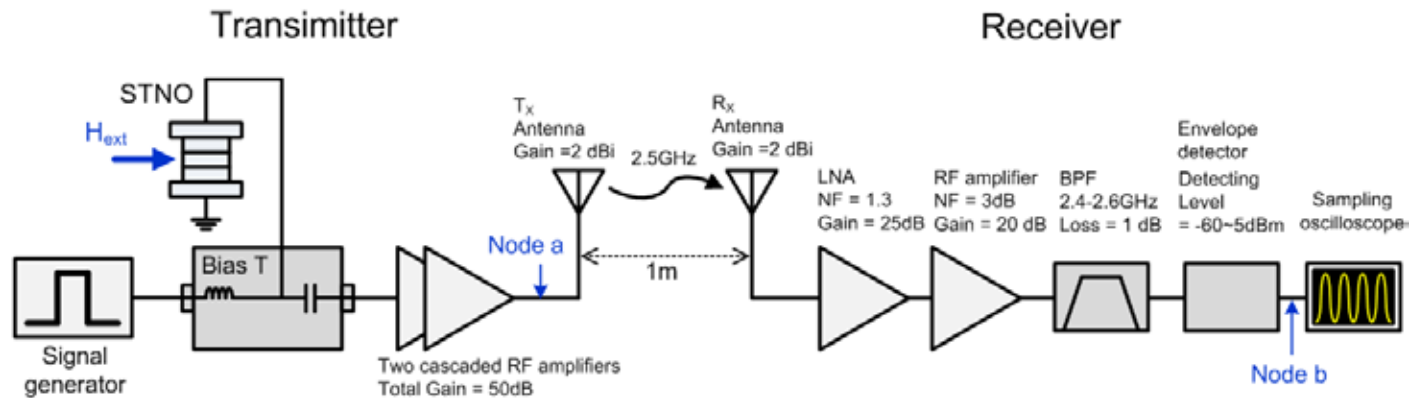
Frequency modulation



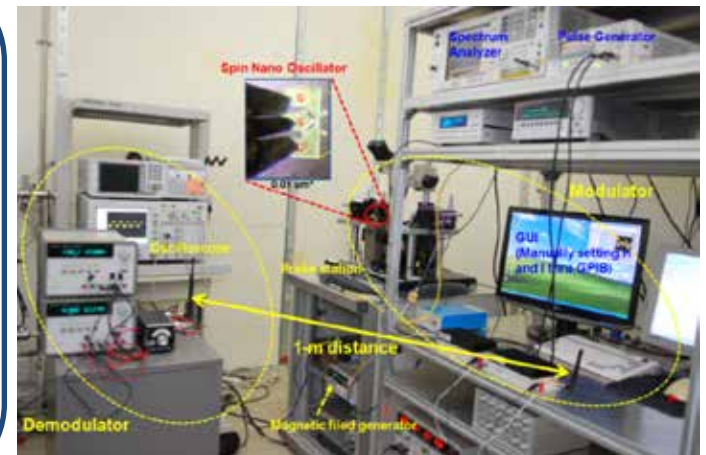
On-OFF Shift Keying



STNO-based Wireless Communication



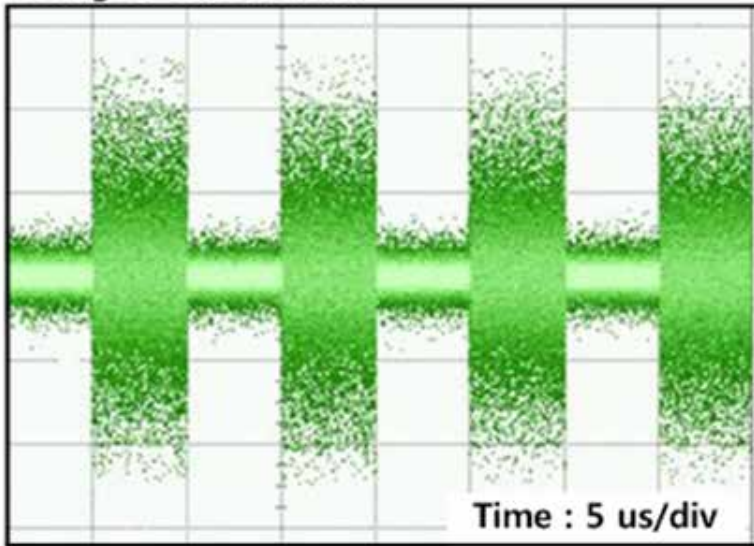
- On-OFF shift keying modulation and non-coherent demodulation
- STNO-based wireless communication with 200-kbps data rate at a distance of 1 m between transmitter and receiver



STNO-based Wireless Communication

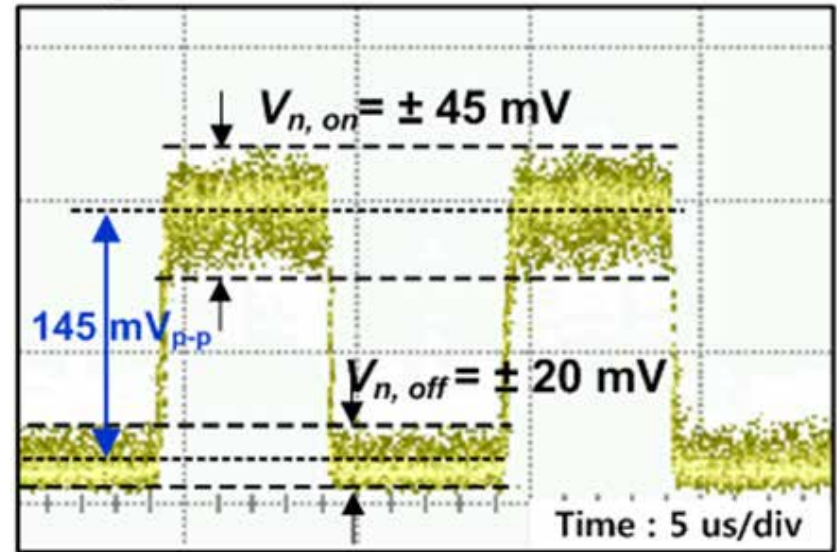
Modulated signal

Voltage : 66.1 mV/div Pulsed input : 100kHz



Demodulated signal

Voltage : 100 mV/div



- **Data Rate=Bandwidth x $\log_2$ (SNR + 1)**
- **SNR=11.2dB (Noise of STNO=-96.9 dBm, Signal Power=-85.7 dBm)**
- **Bandwidth = 152 MHz (minimum pulse duration=3.3 nsec)**
- **Maximum data rate R=1.16Gbps**